

Experimental demonstration of time-resolving quantum receivers and quantum measurement confidence estimation.

PRX Quantum 1, 010308 (2020)

Ivan Burenkov

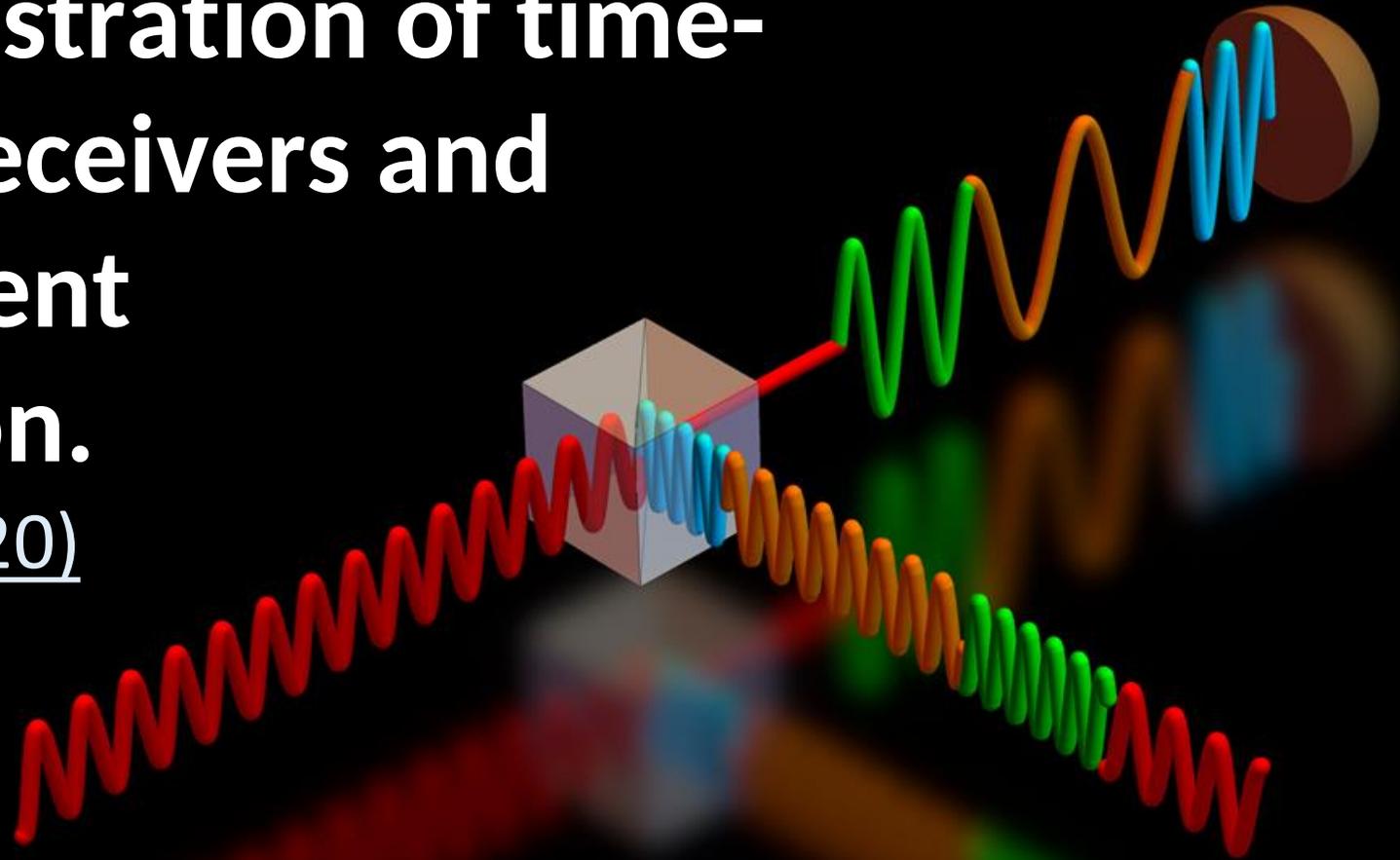
M. V. Jabir

N. F. R. Annafianto

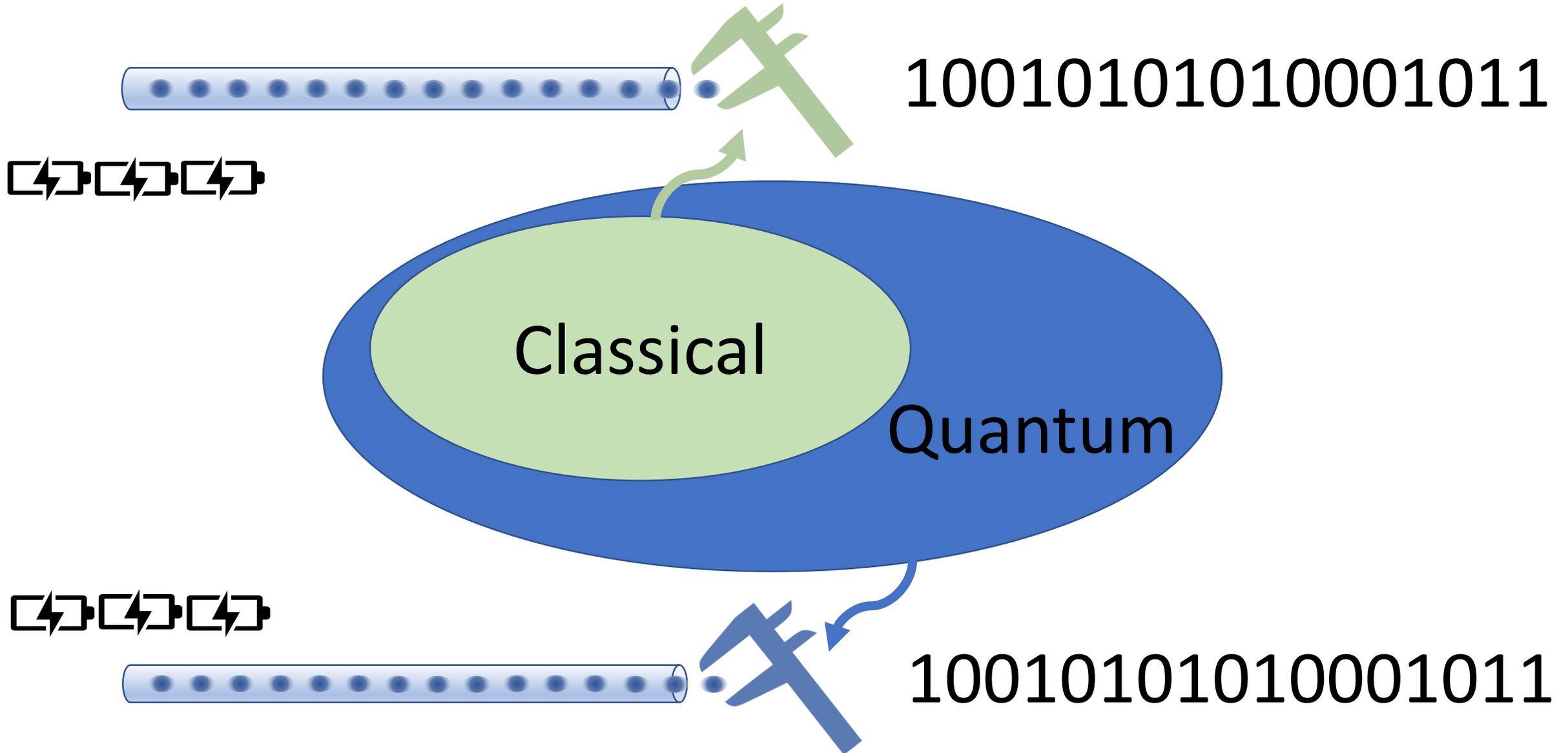
M. A. Wayne

A. Battou

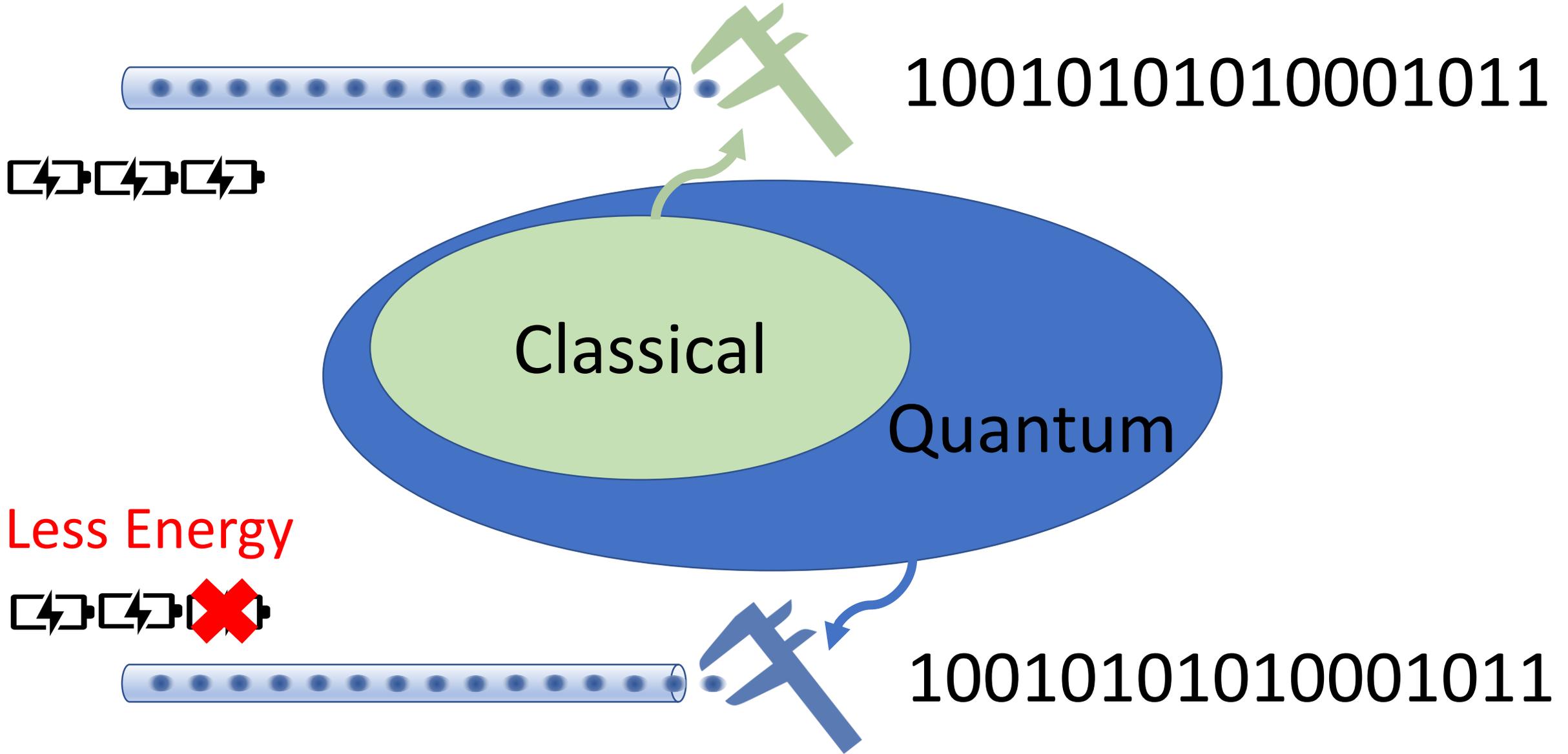
S. V. Polyakov



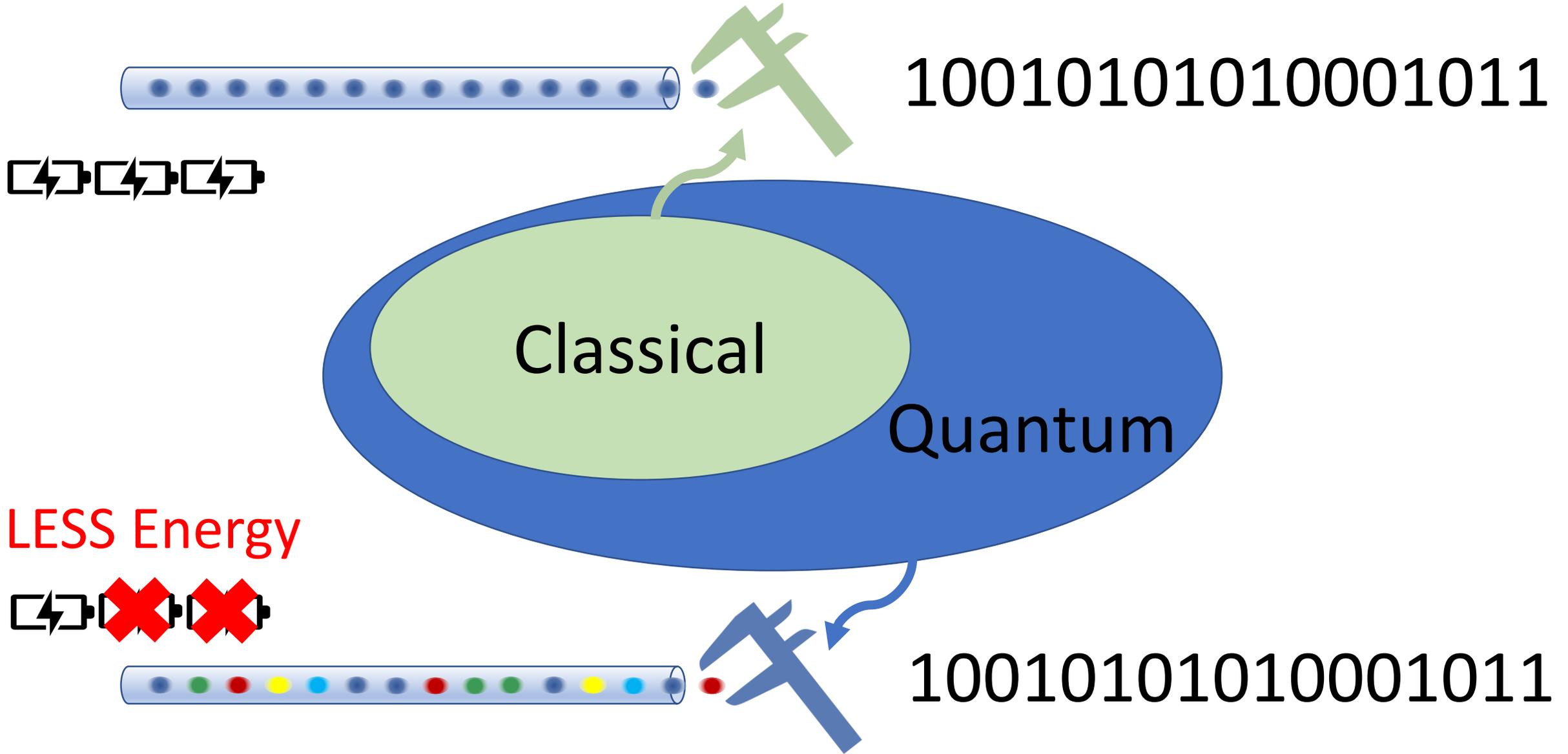
Measurement



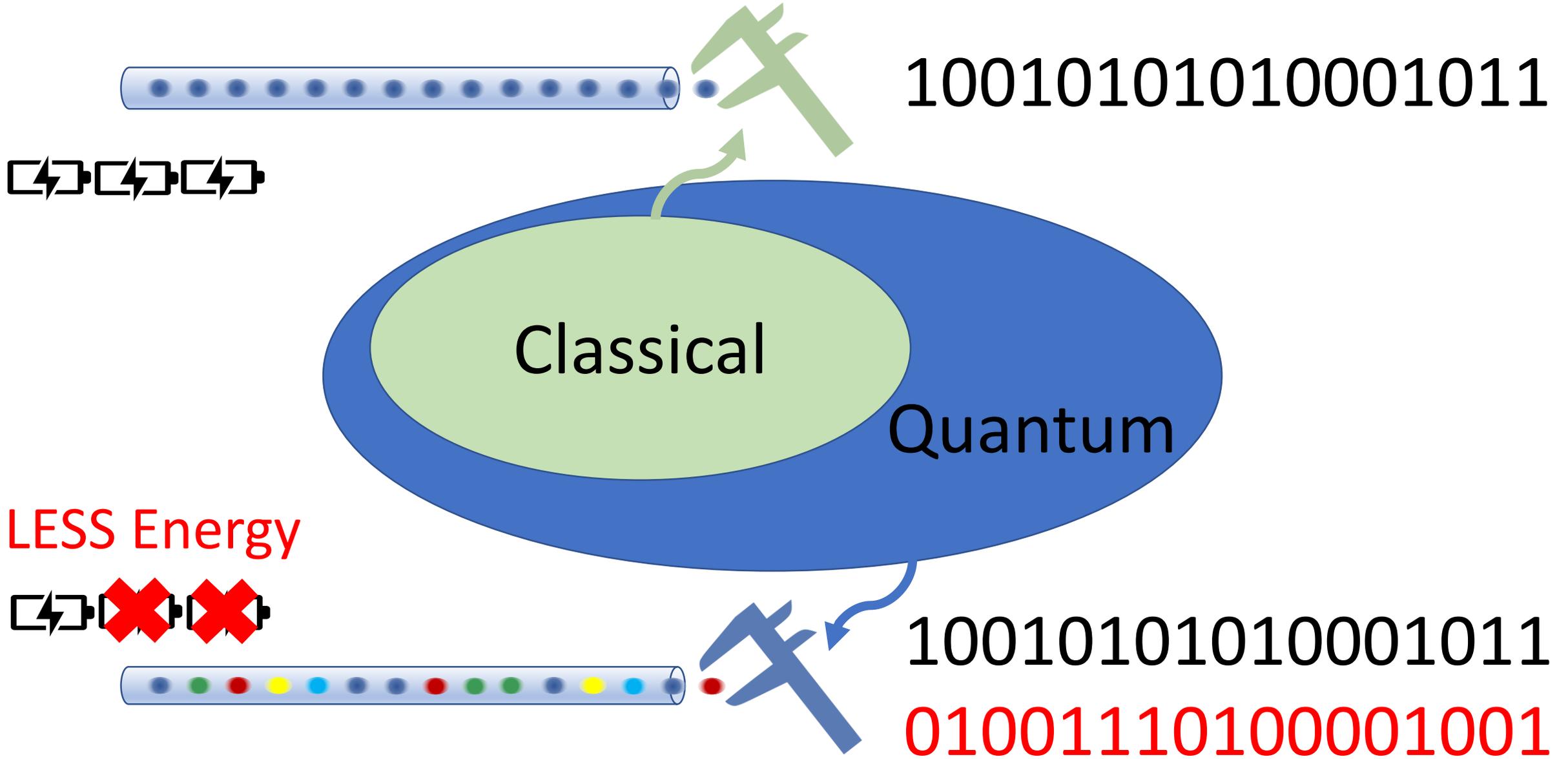
Measurement



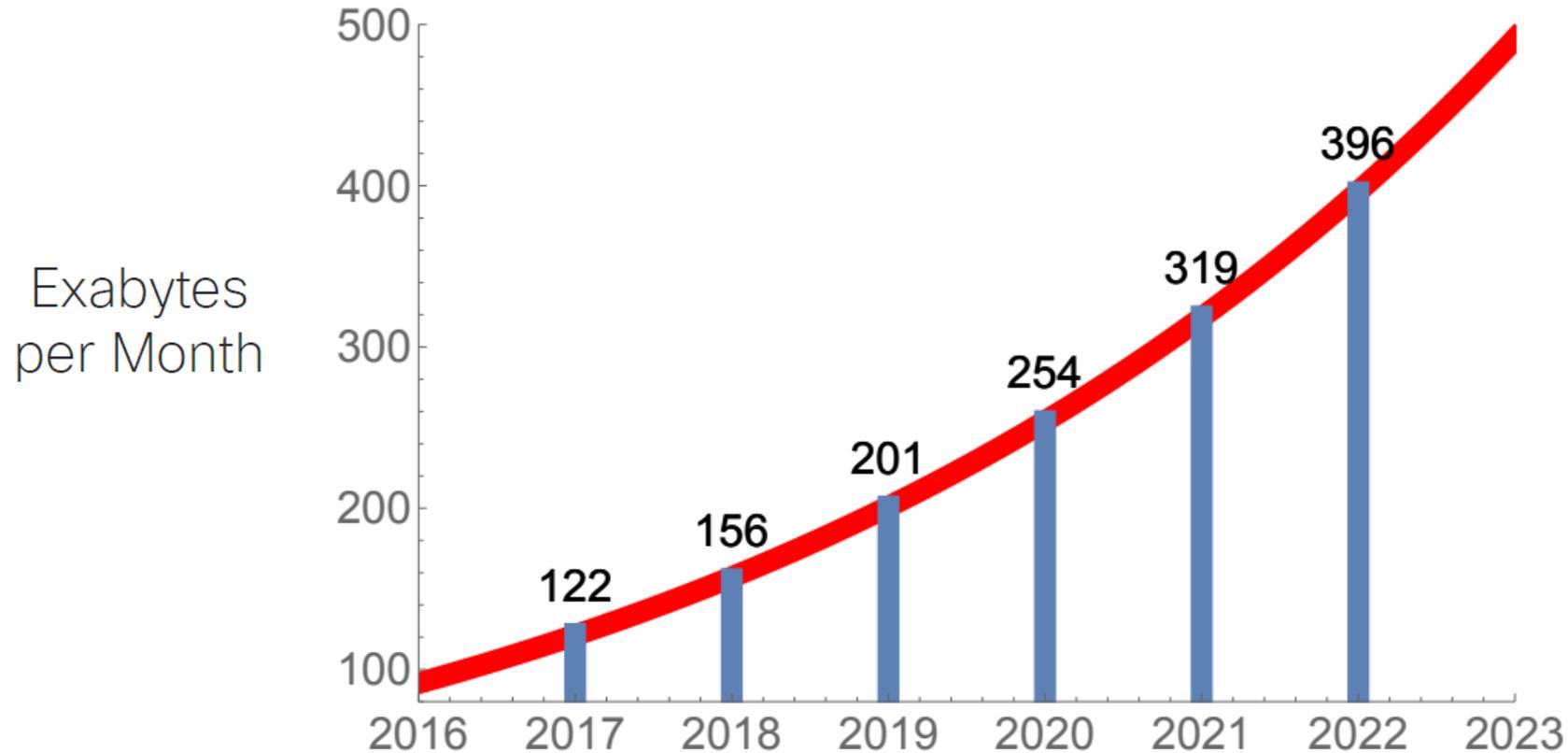
Measurement



Measurement



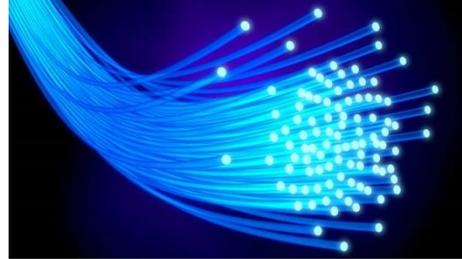
The Internet: Exponential increase in data transfer

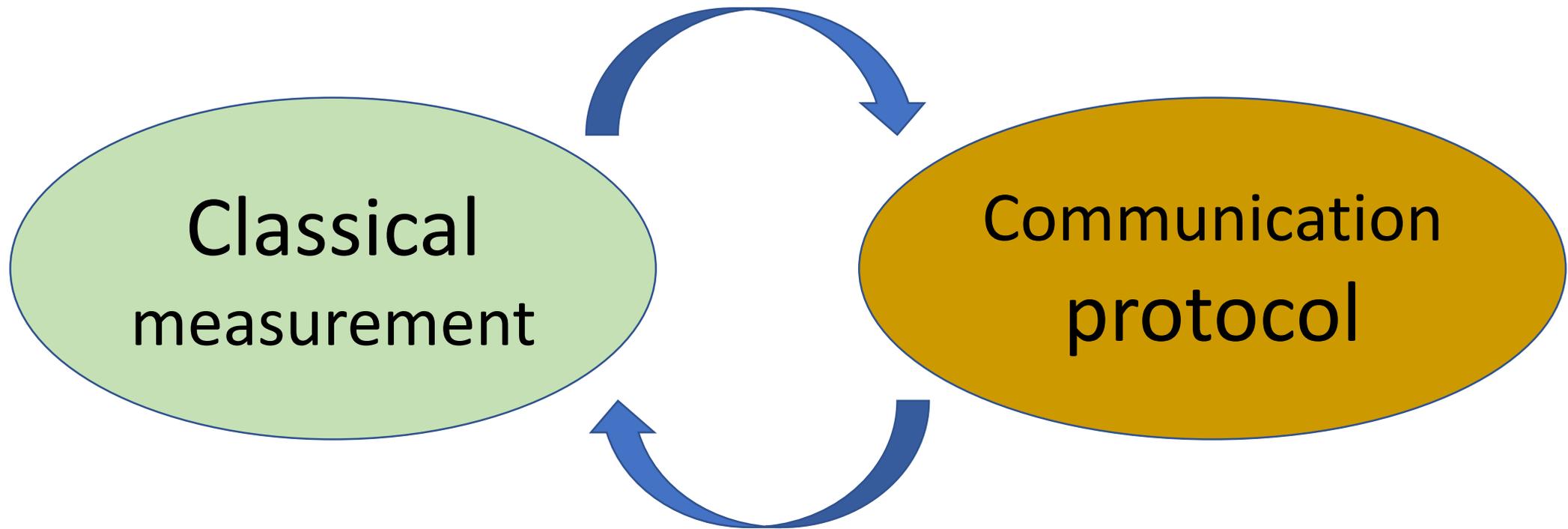


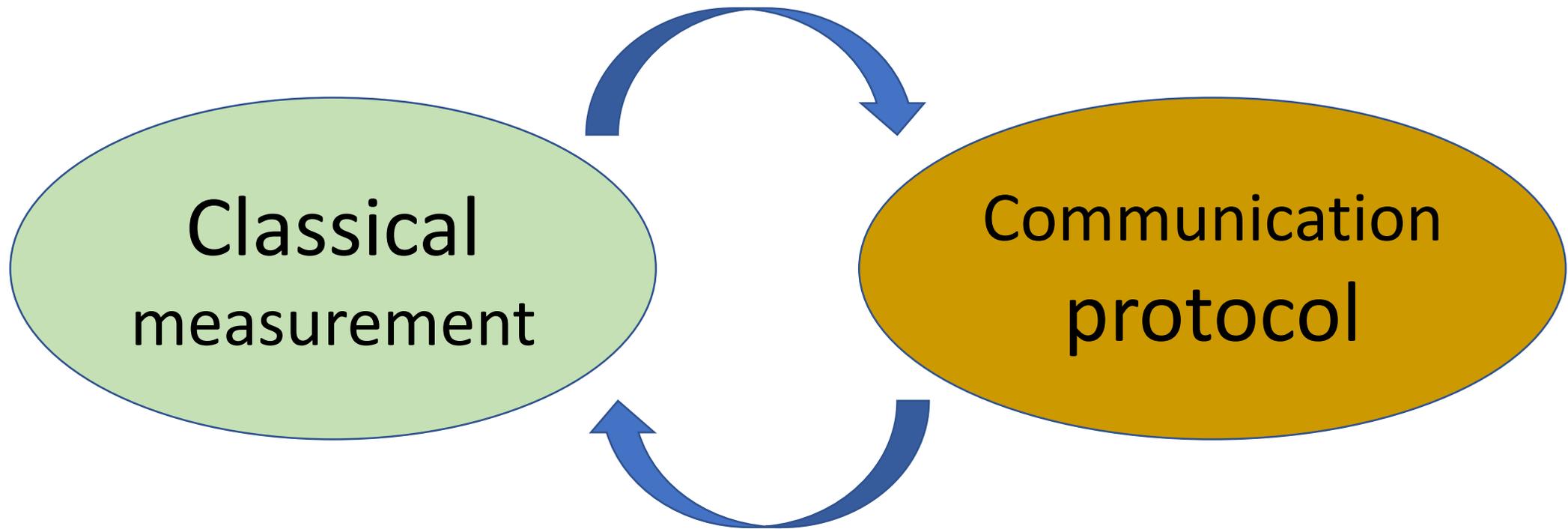
- Energy $E = \langle n \rangle \hbar \omega$

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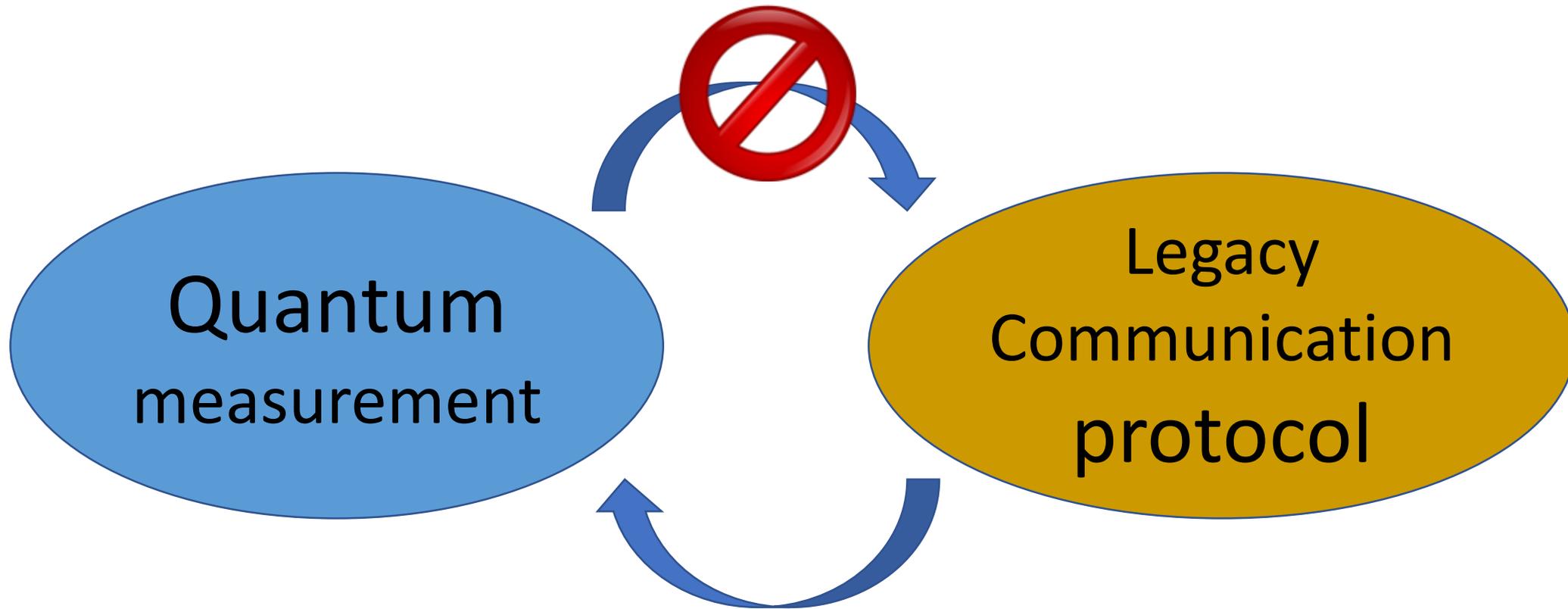
- Bandwidth



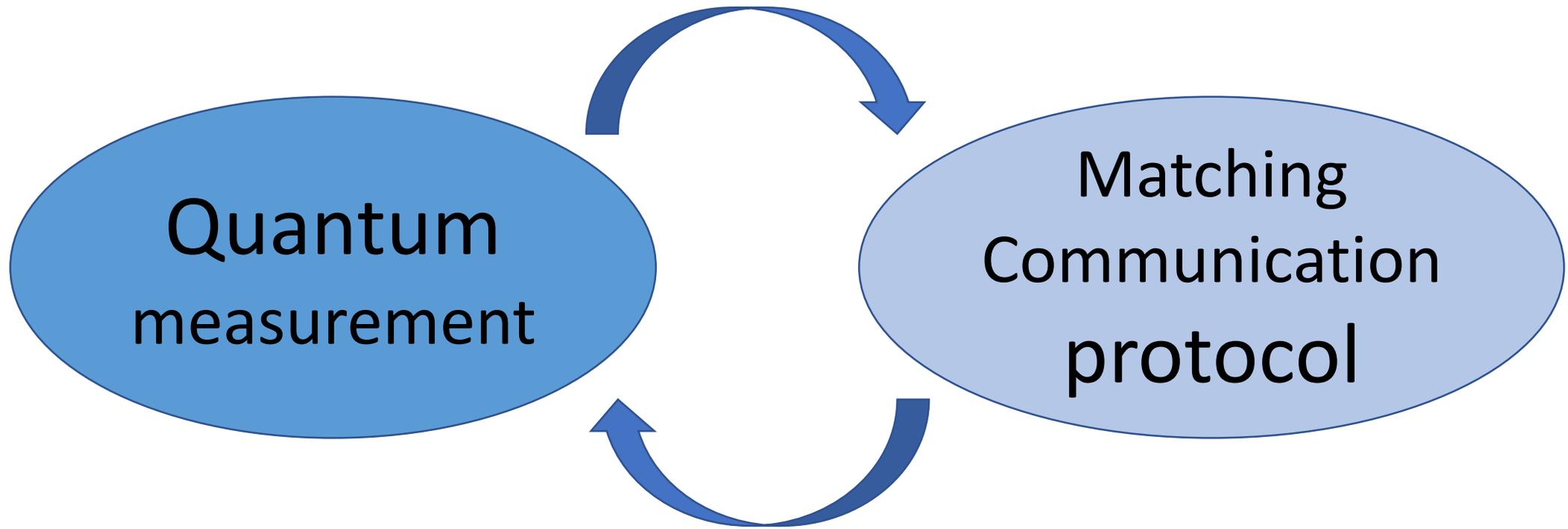




Communication requires Measurement

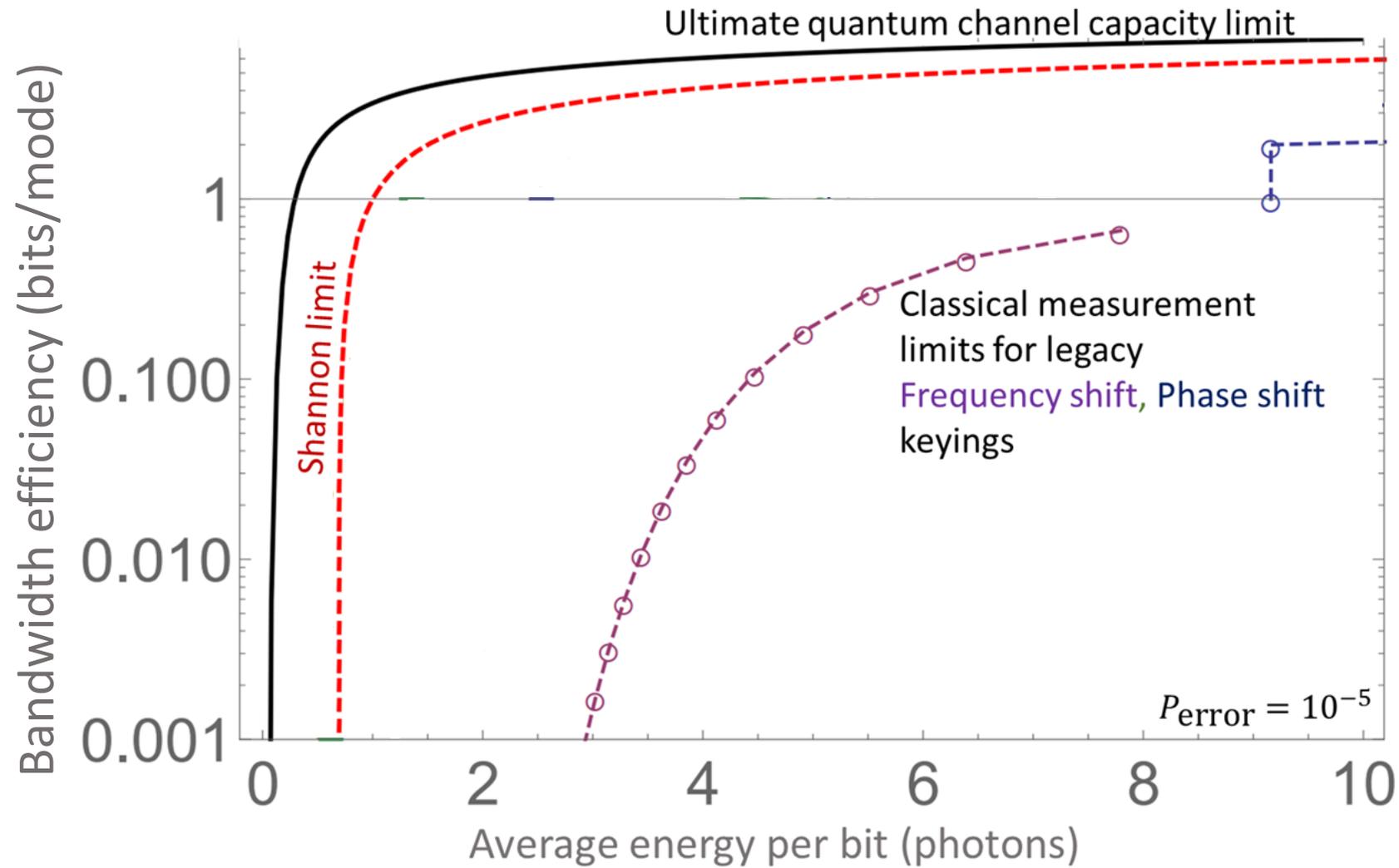


- Better sensitivity (below shot noise limit measurement)

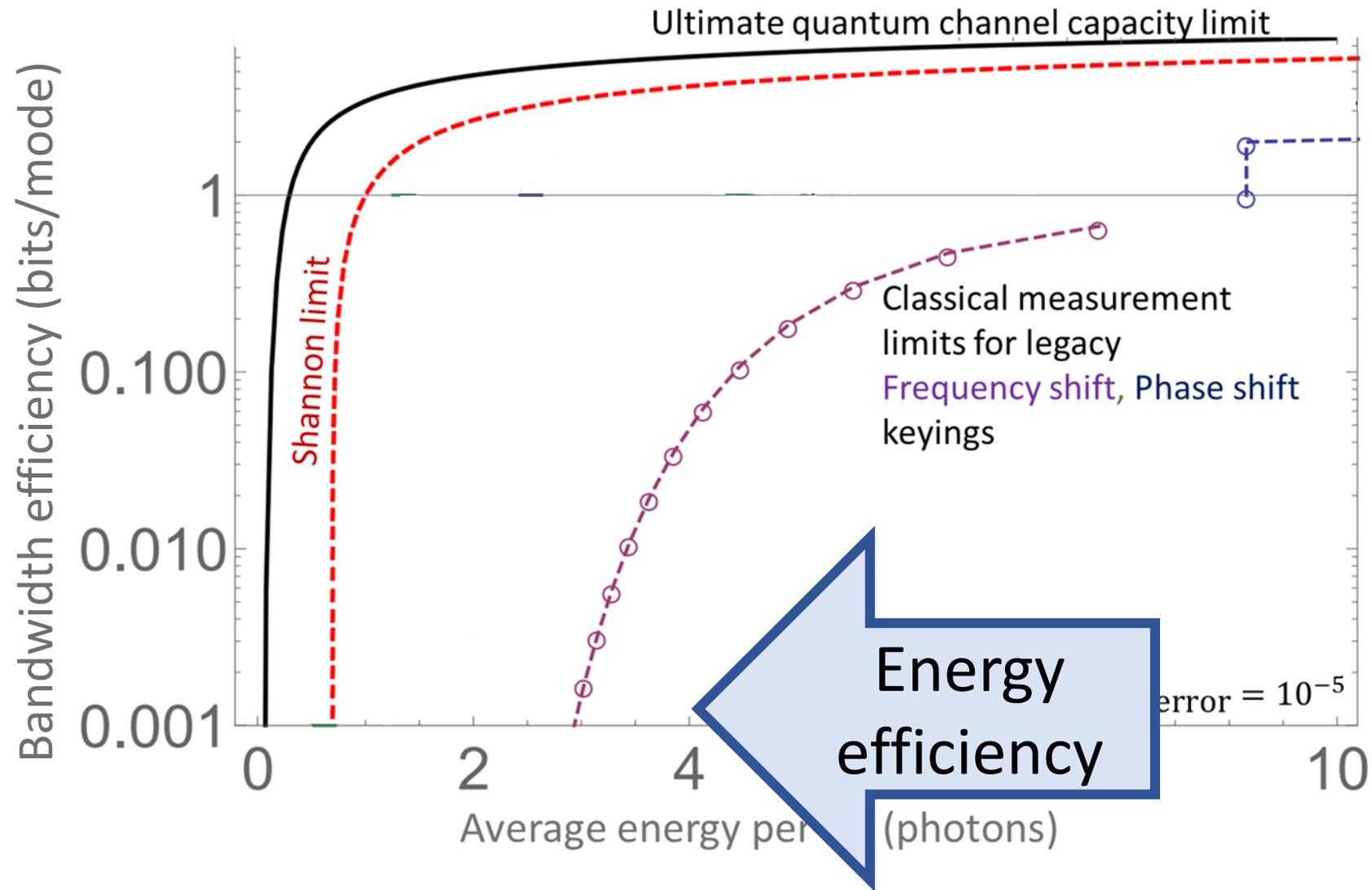


- Extra benefits?

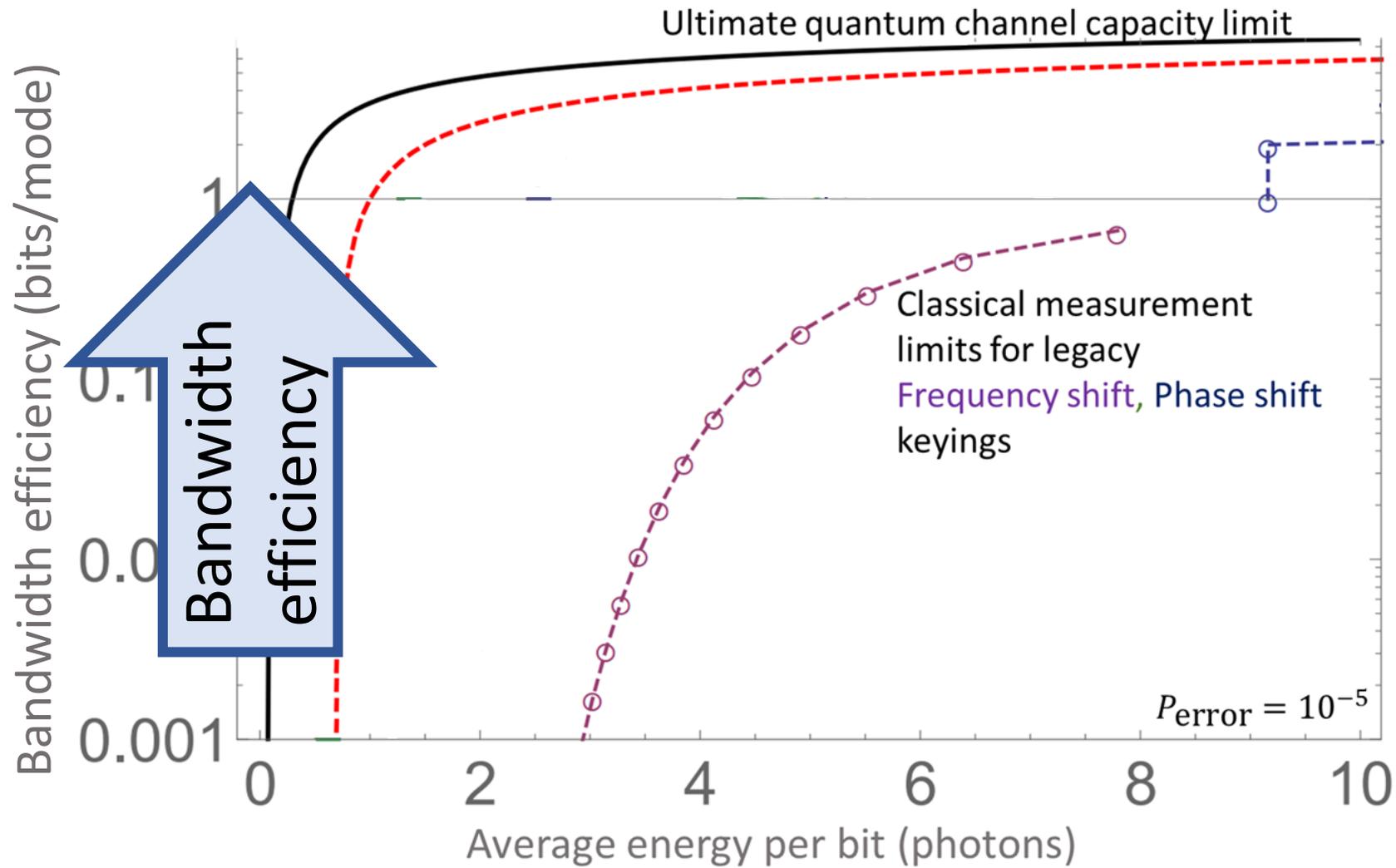
Classical Vs Quantum Measurement Limits



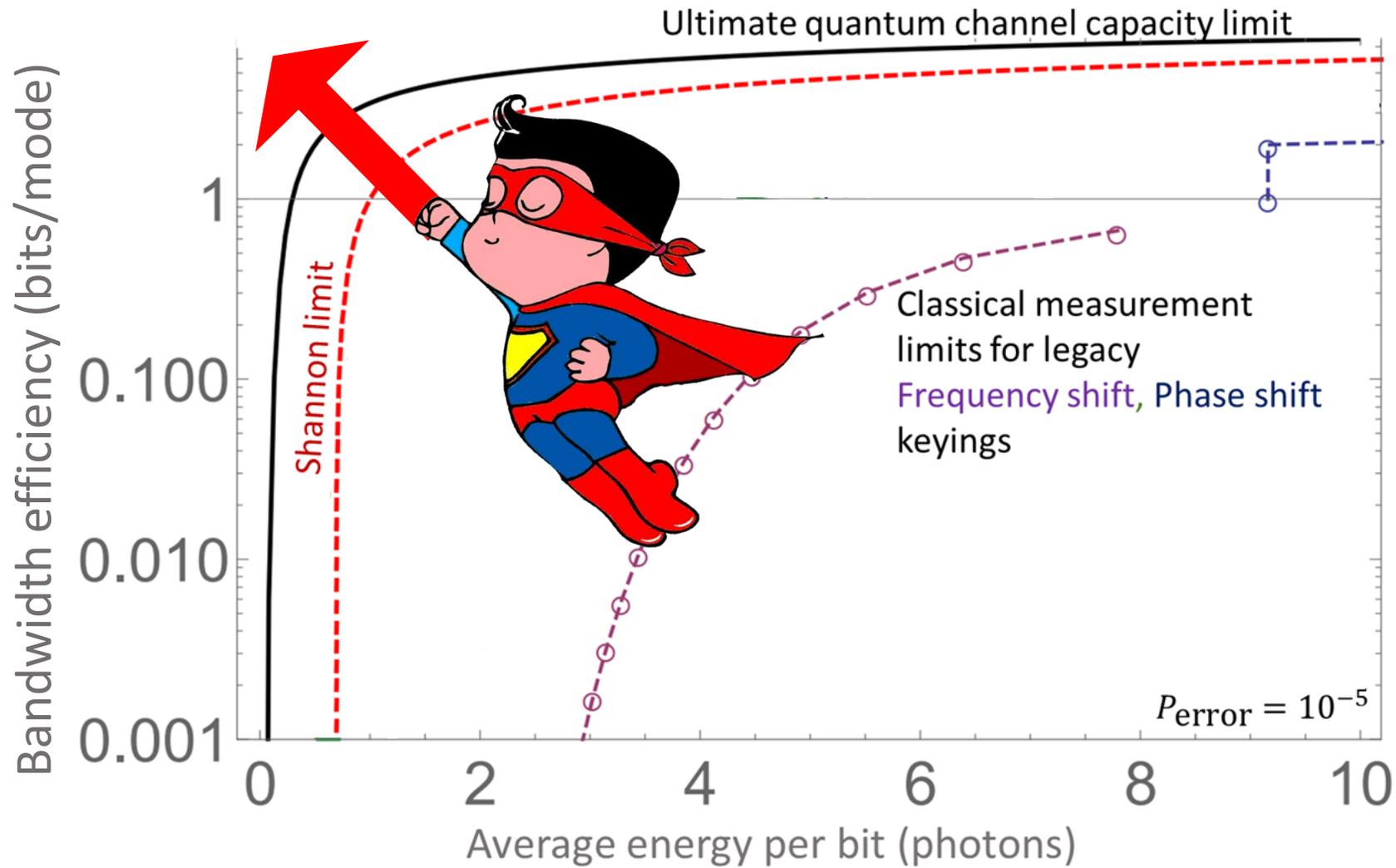
Classical Vs Quantum Measurement Limits



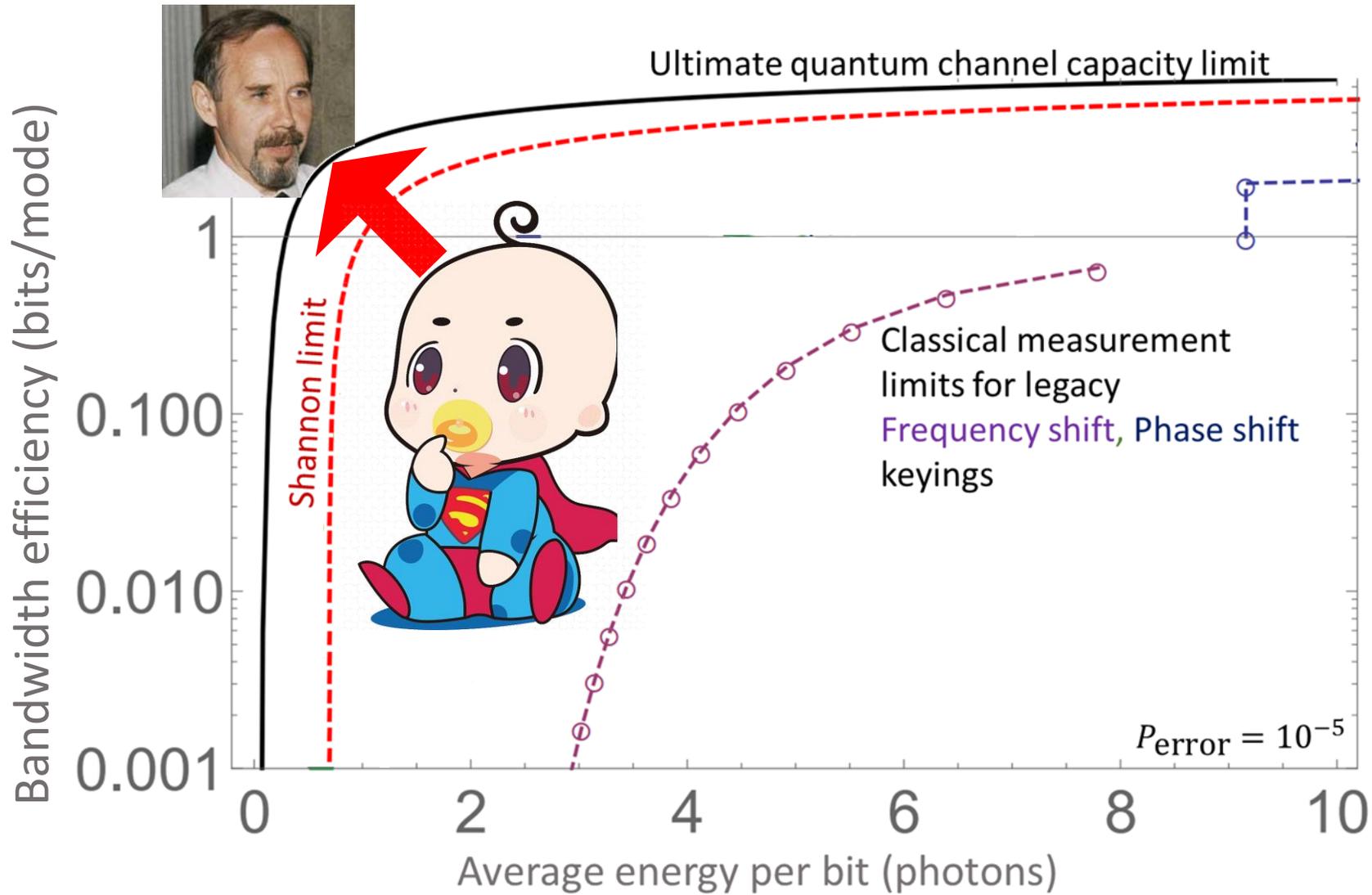
Classical Vs Quantum Measurement Limits



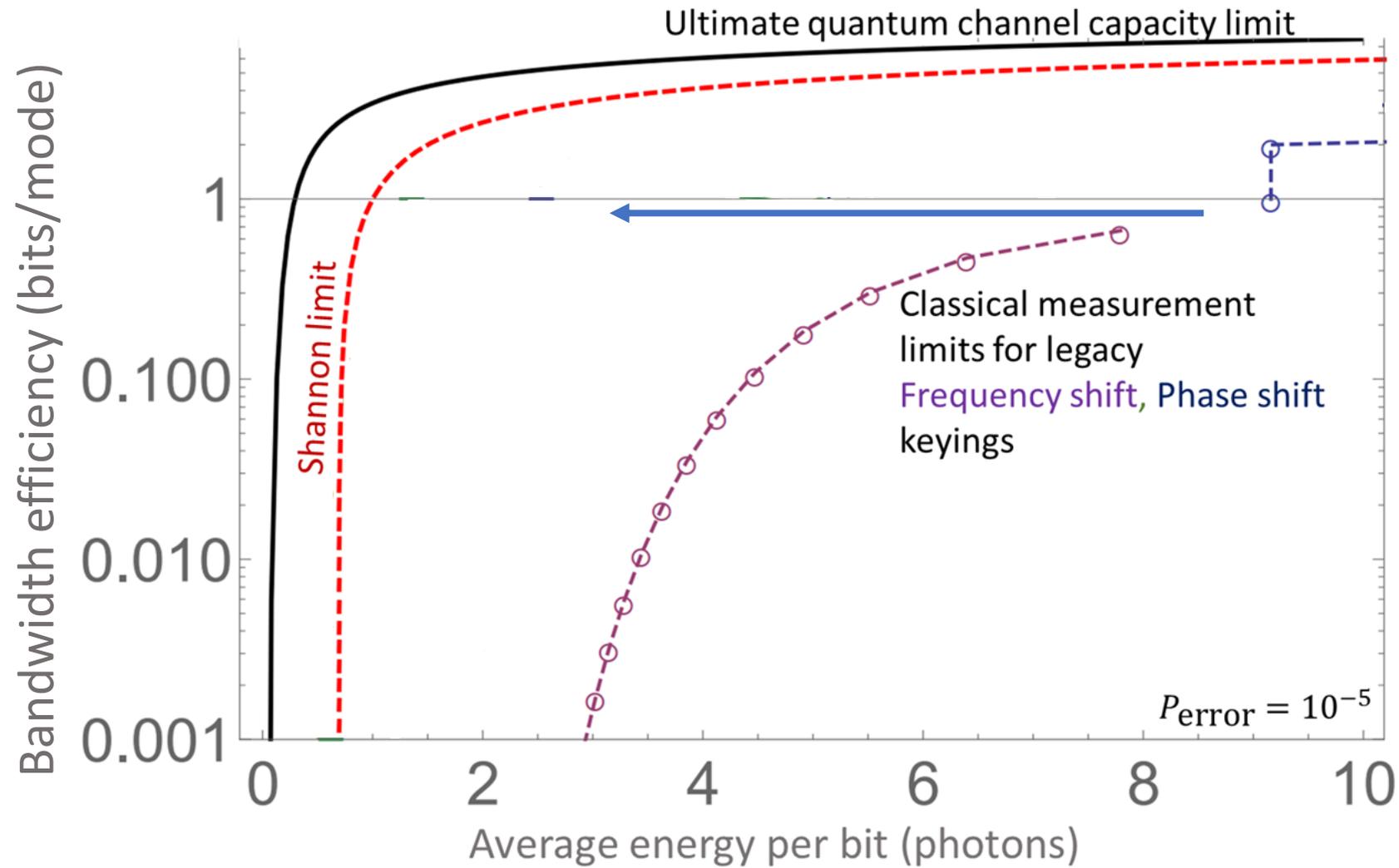
Classical Vs Quantum Measurement Limits



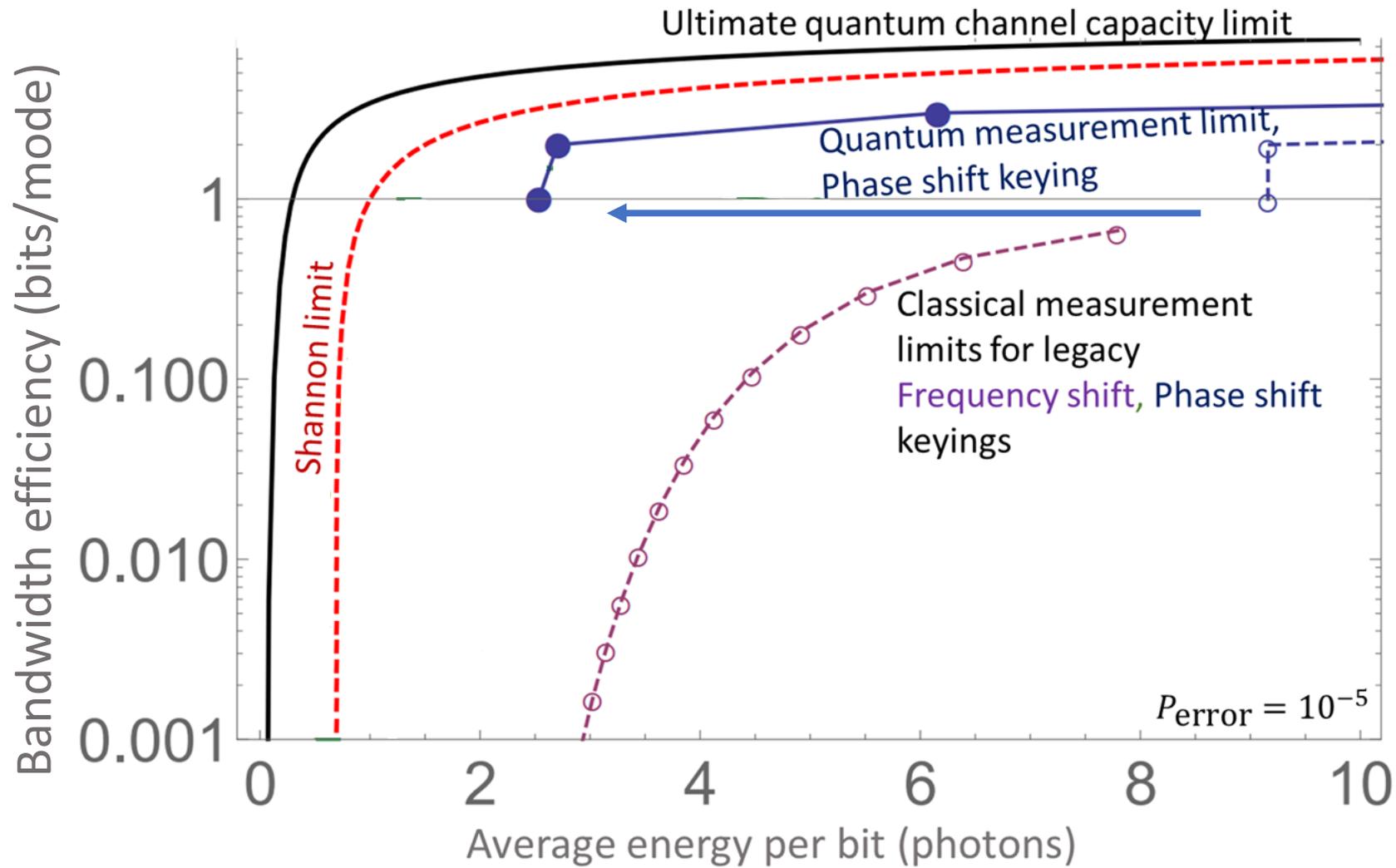
Classical Vs Quantum Measurement Limits

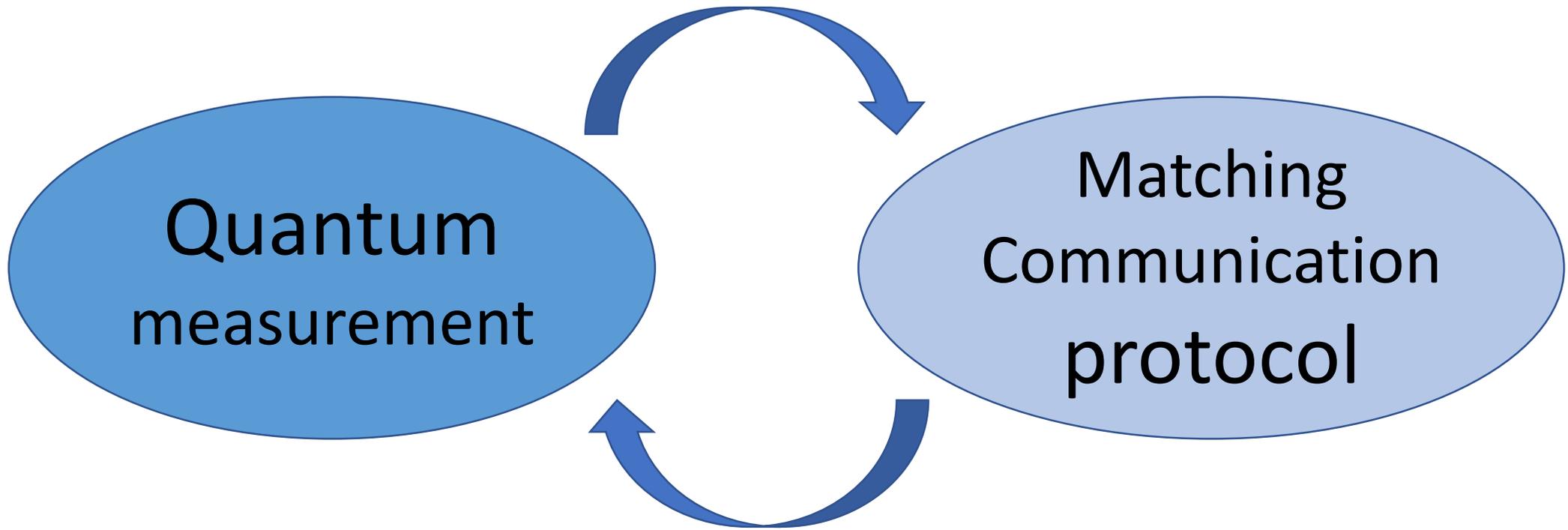


Classical Vs Quantum Measurement Limits



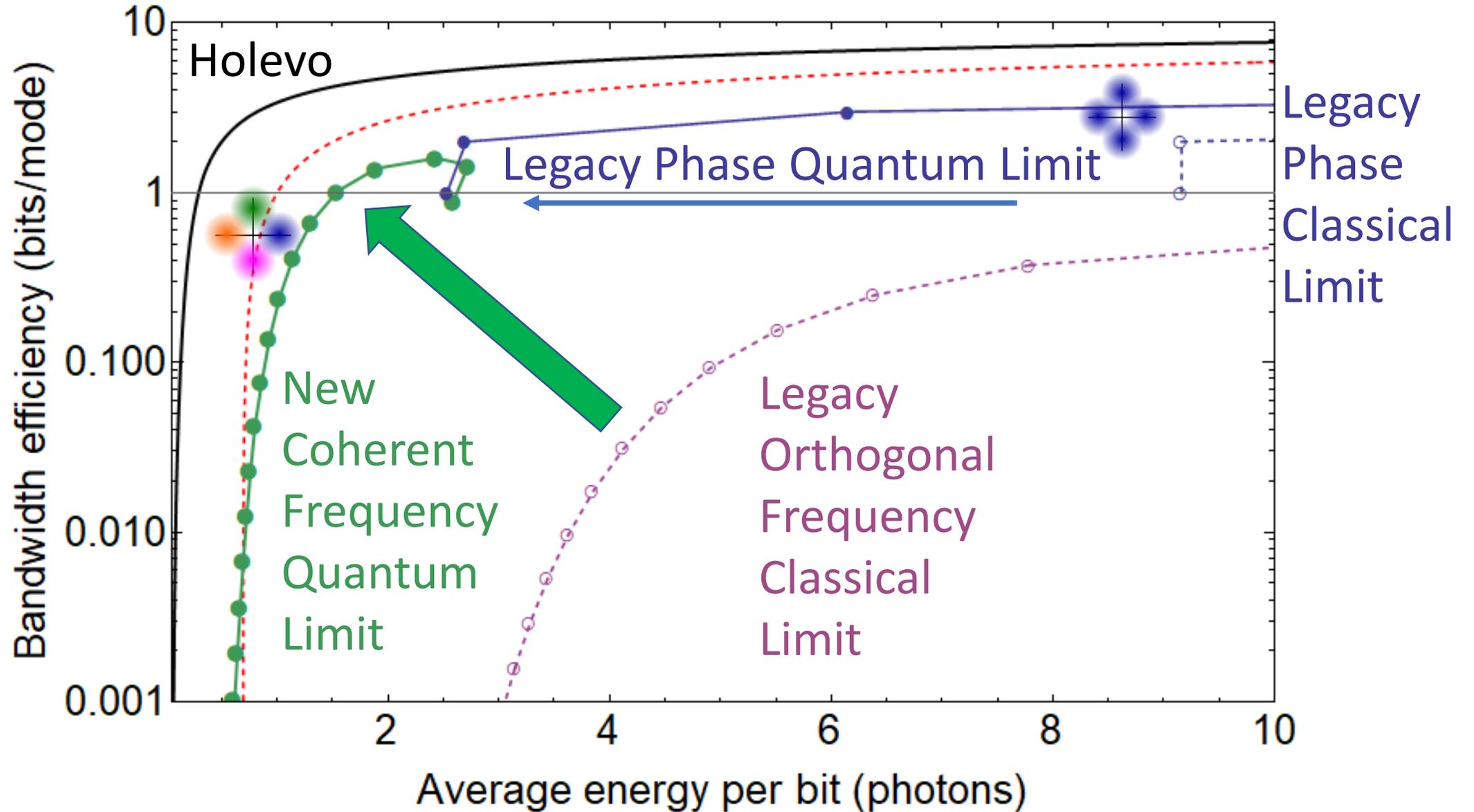
Classical Vs Quantum Measurement Limits





Do we get any extra benefits with our holistic approach?

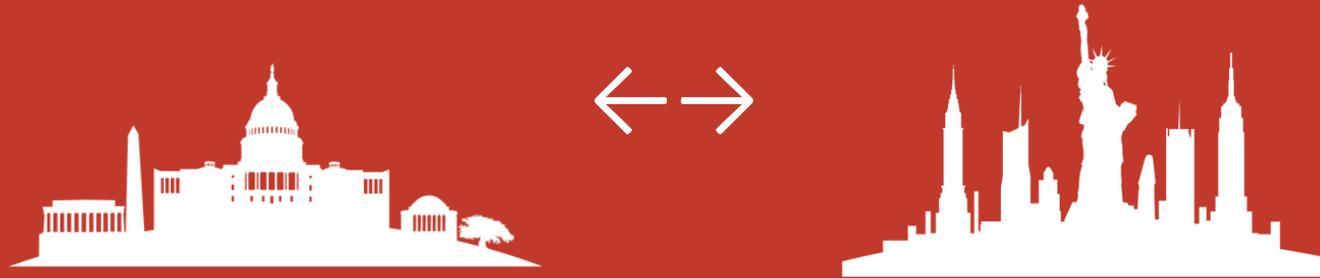
Classical V Quantum Measurement Limits



- Fiber or free-space
- Existing global network
- *Quantum channels*

- Longer amplification-free range
- Lower signal power
- Better resource efficiency

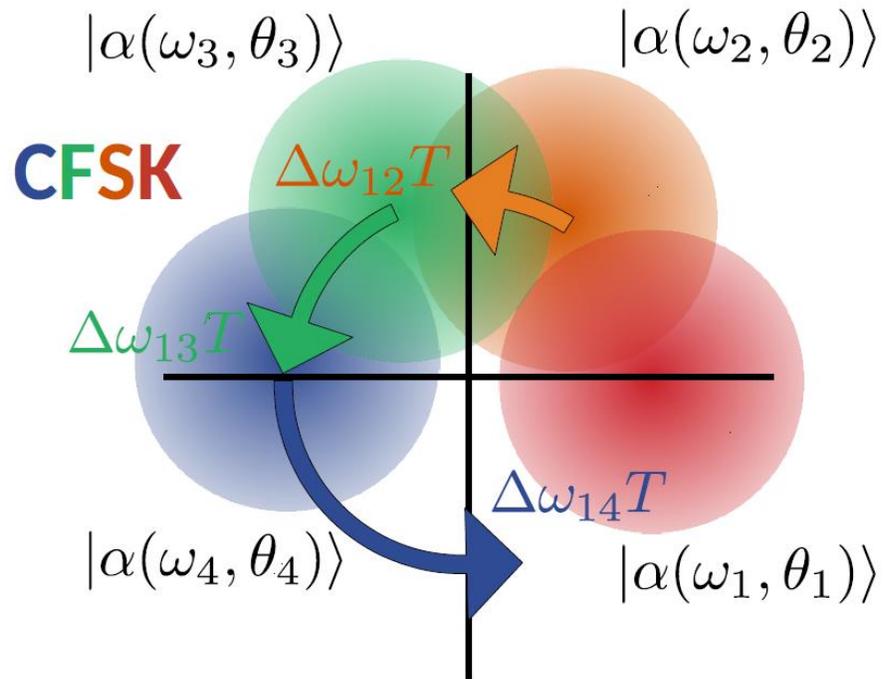
NY-DC fiber link without amplification?



- Longer amplification-free range
- Lower signal power
- Better resource efficiency



Alphabet of M states:

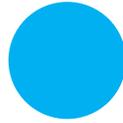


Two parameters:

- $\Delta\omega_{ij}T = (j - i)\Delta\omega T$
- $\theta_i = (i - 1)\Delta\theta$

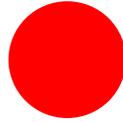
Time-resolving quantum receiver

Alphabet

 00

 01

 10

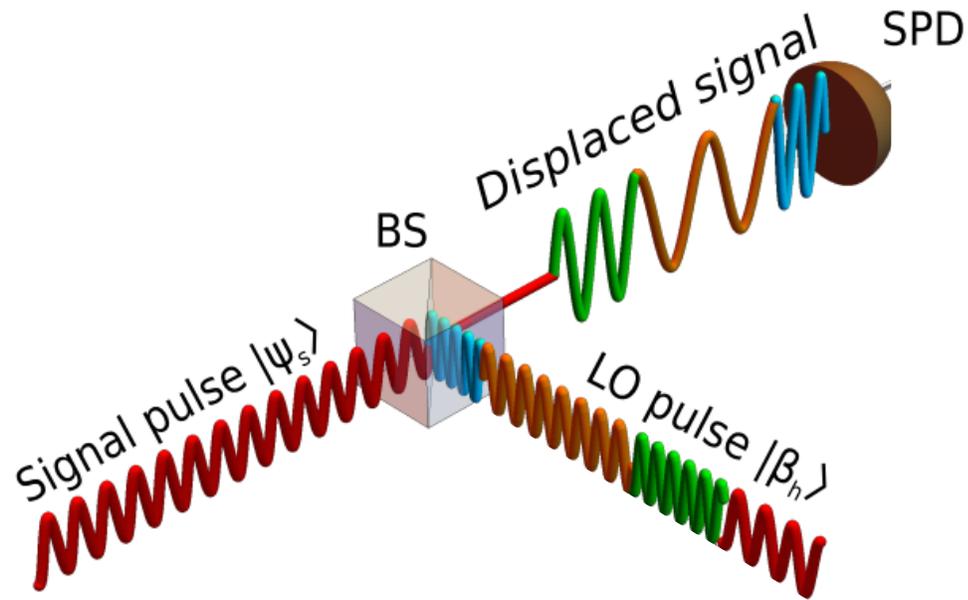
 11

Signal pulse $|\psi_s\rangle$


Time-resolving quantum receiver

Alphabet

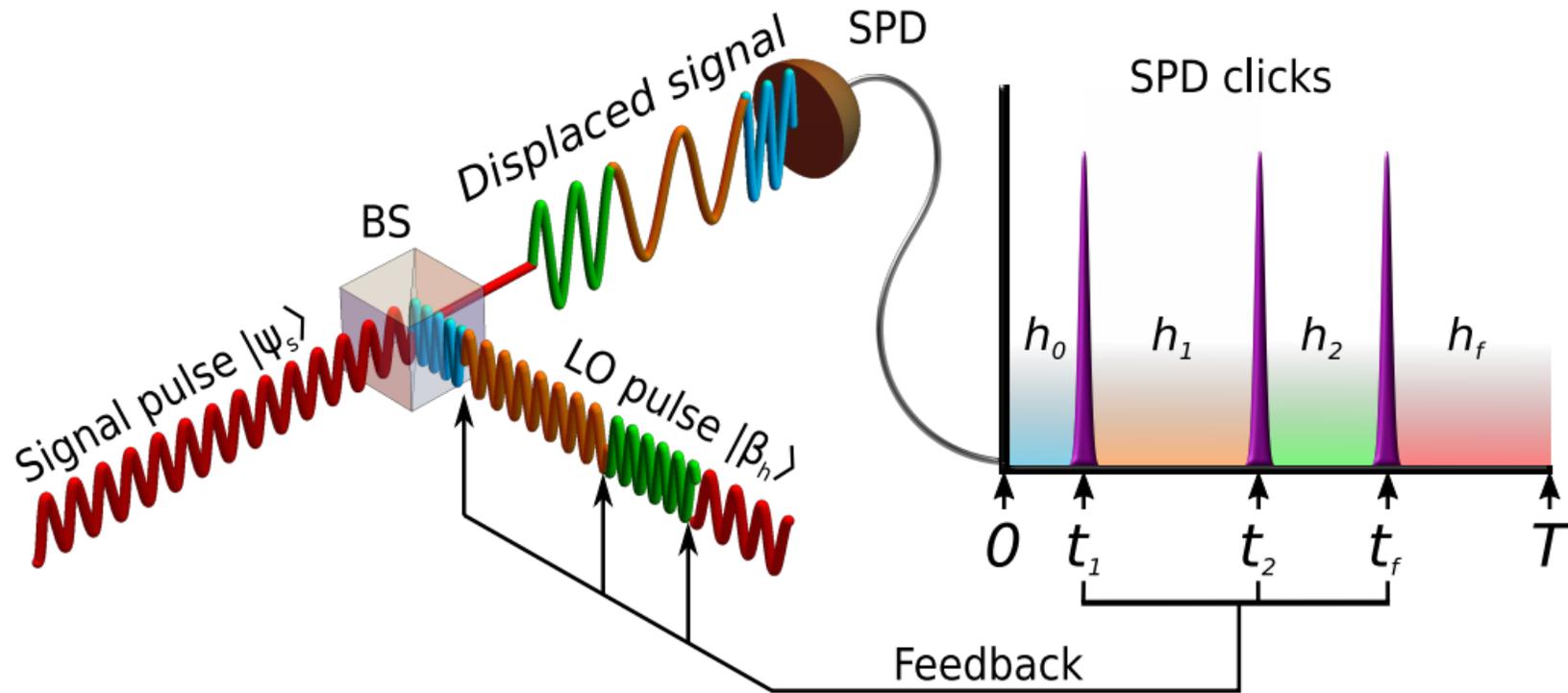
- 00
- 01
- 10
- 11



Time-resolving quantum receiver

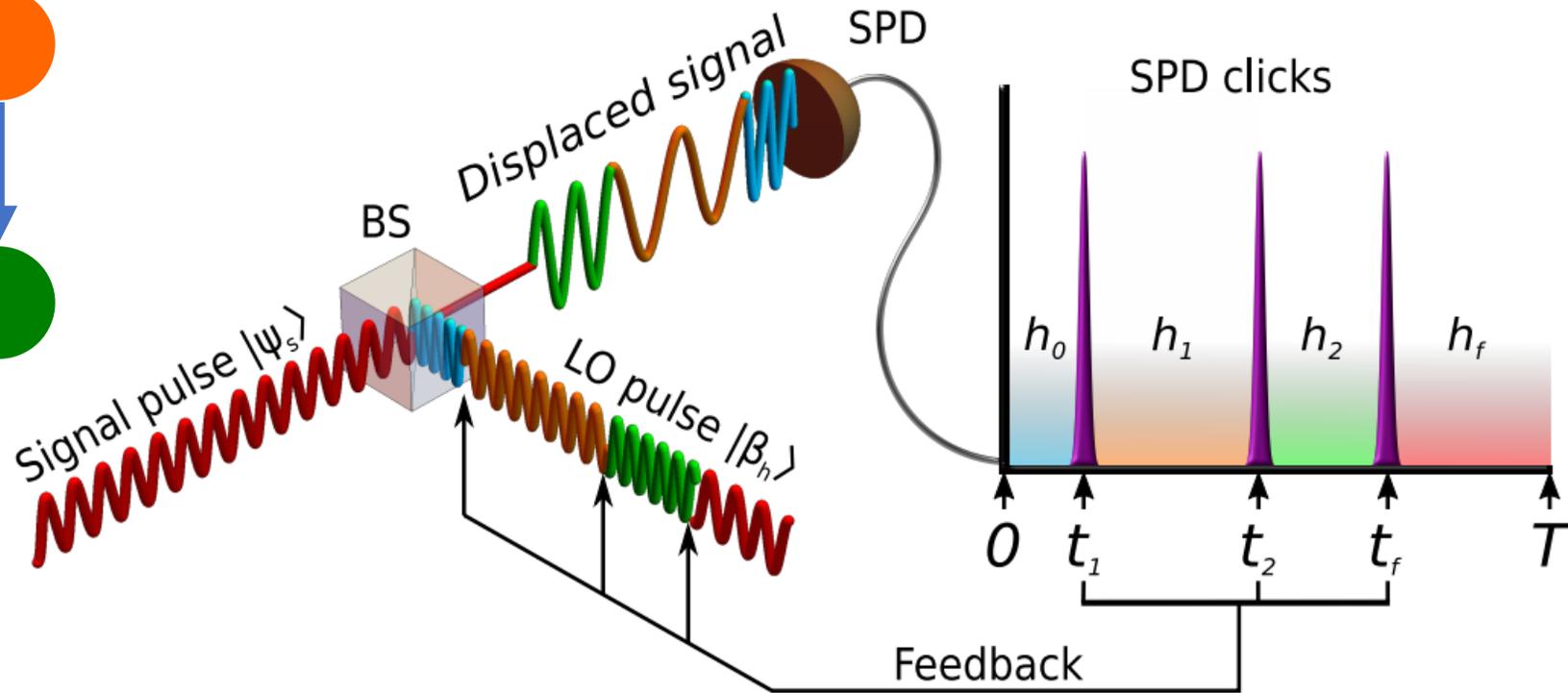
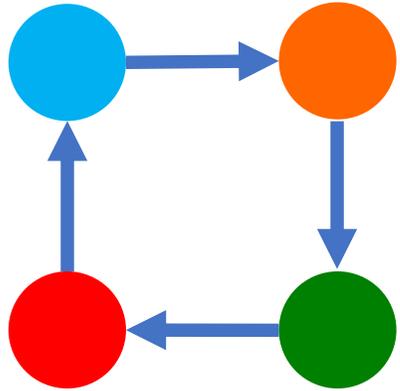
Alphabet

- 00
- 01
- 10
- 11



Time-resolving quantum receiver

Alphabet



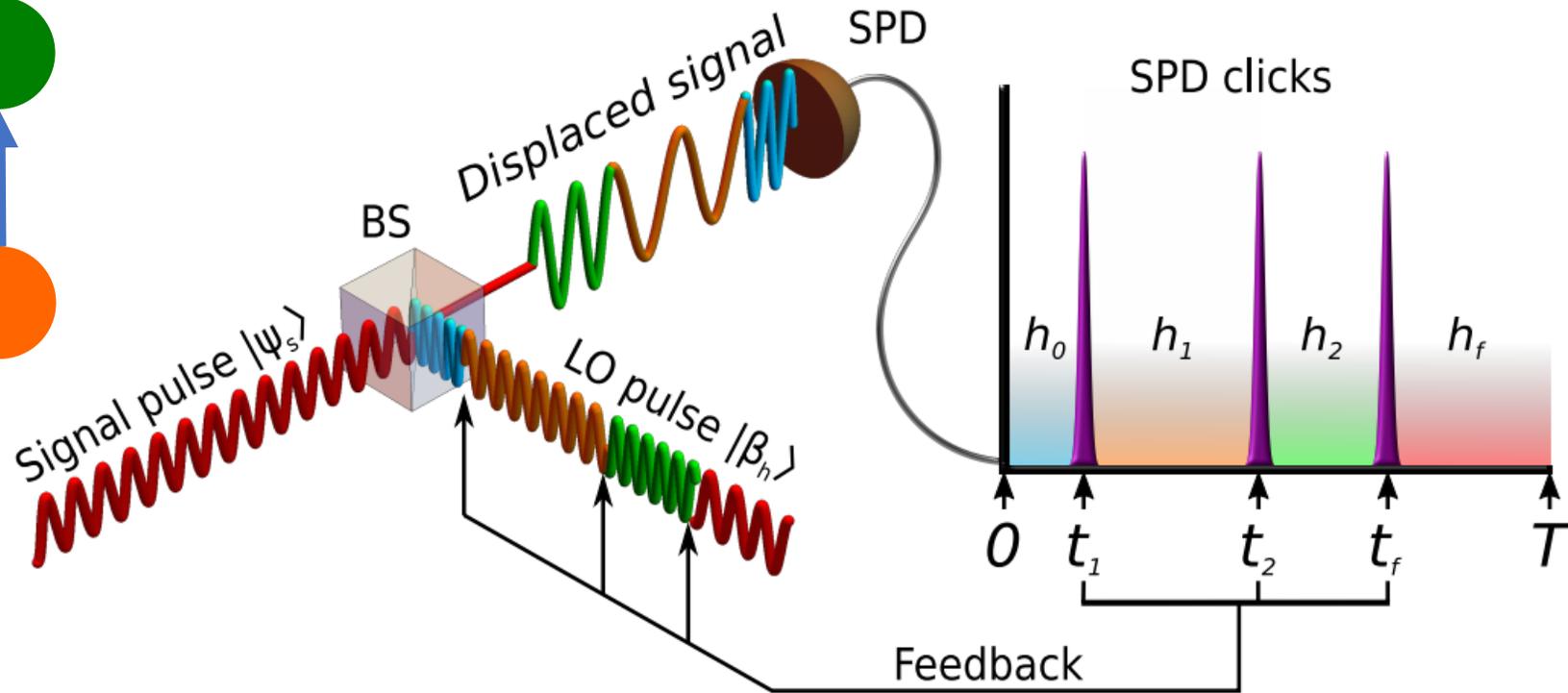
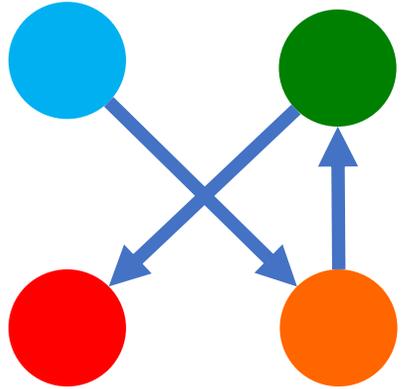
Bondurant receiver

Theory: *Opt. Lett.* **18**(22), 1896 (1993)

Experiment: *OSA Continuum* **3**(12), 3324 (2020)

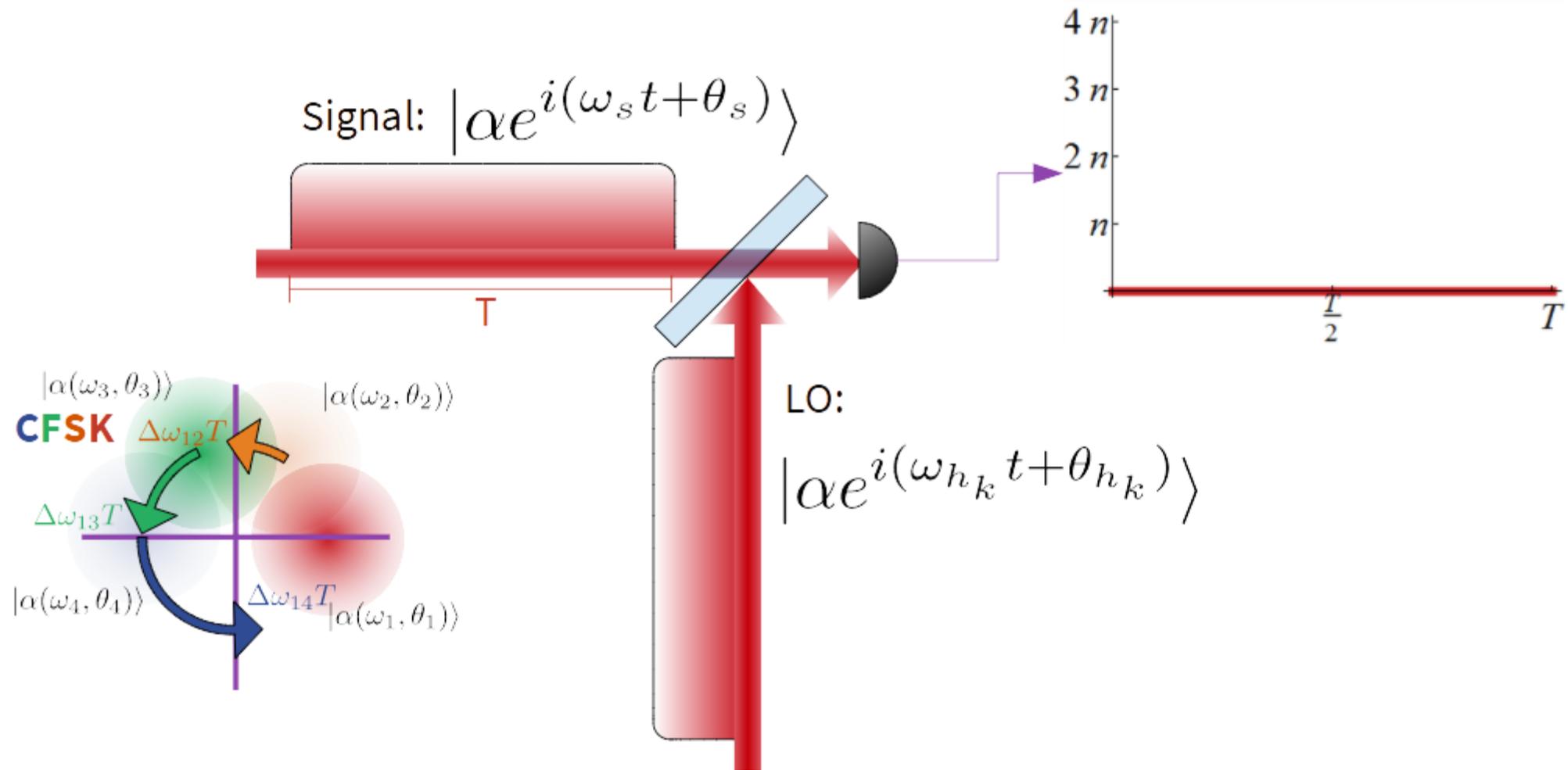
Time-resolving quantum receiver

Alphabet

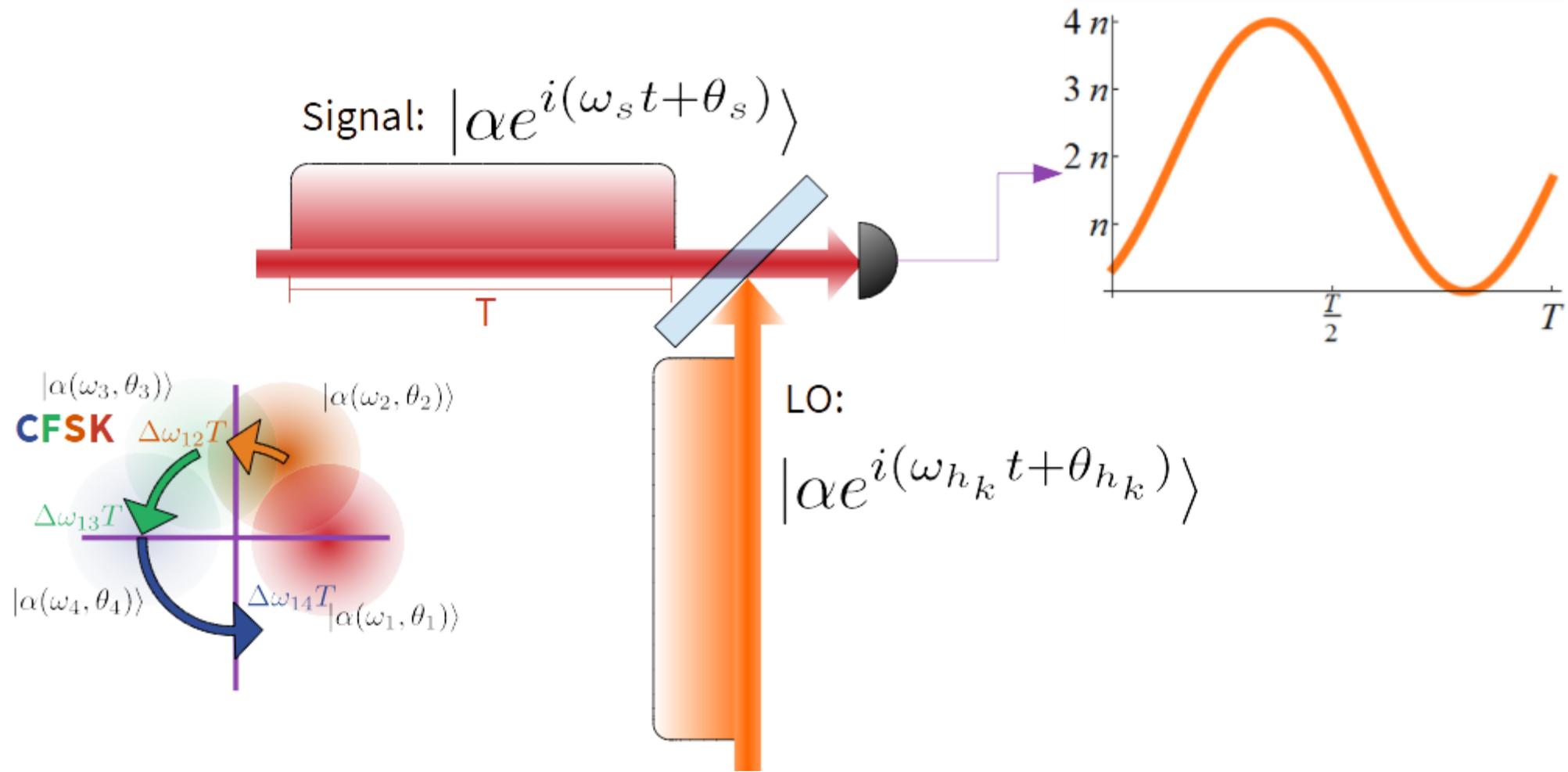


Time-resolving receiver with Bayesian inference
Theory: *Optica*, **5**, p. 227 (2018)

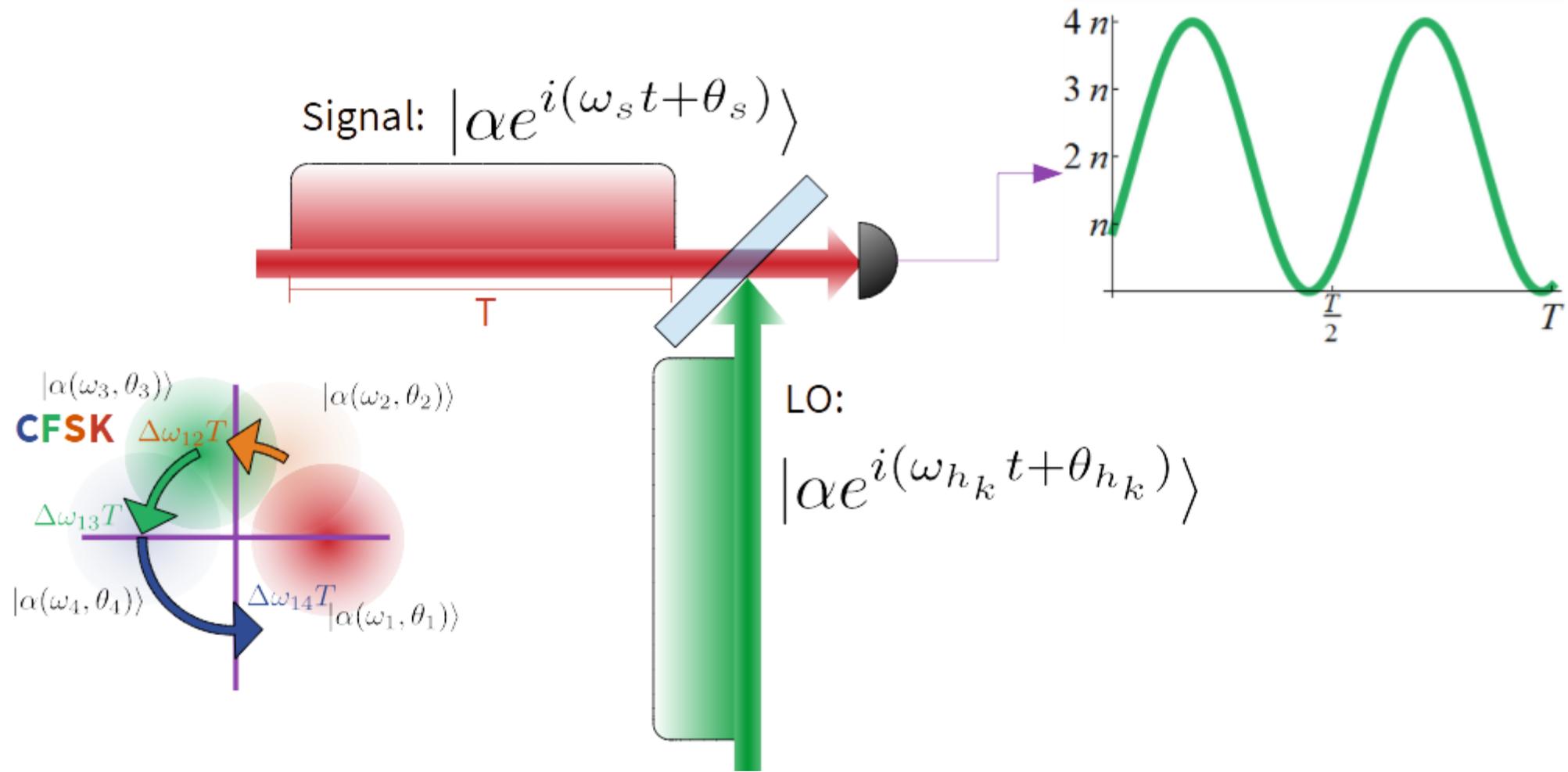
Time-resolving quantum receiver



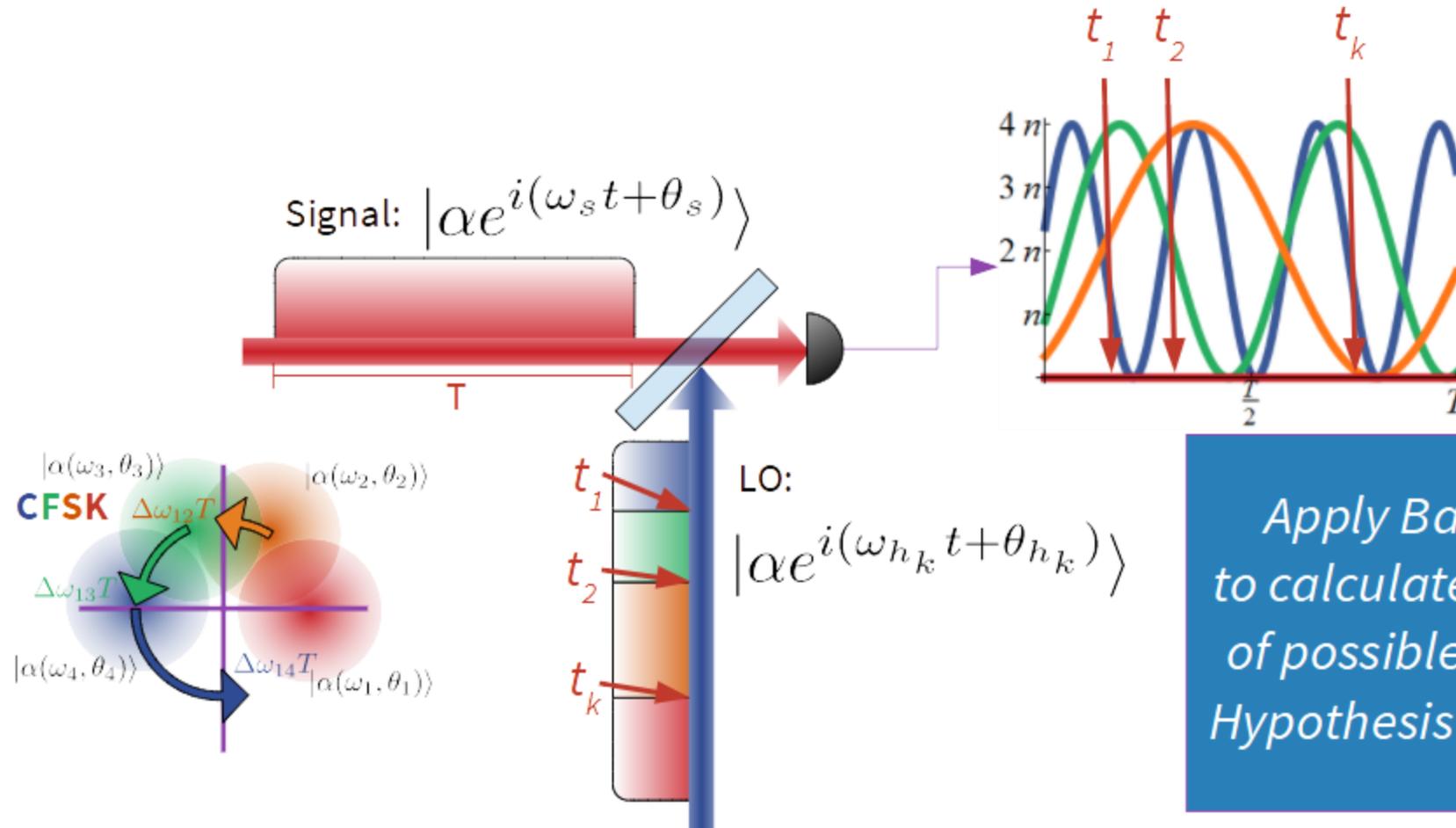
Time-resolving quantum receiver



Time-resolving quantum receiver

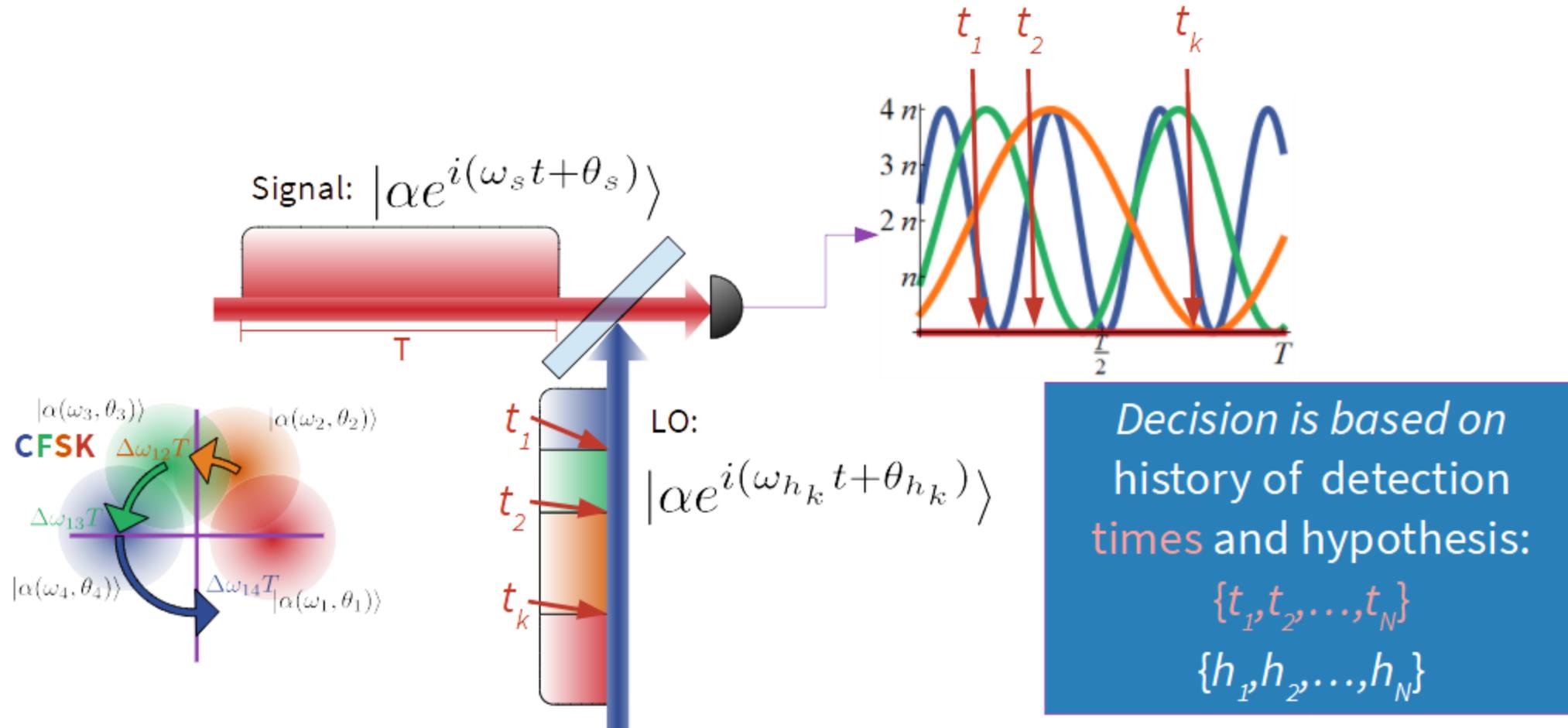


Time-resolving quantum receiver

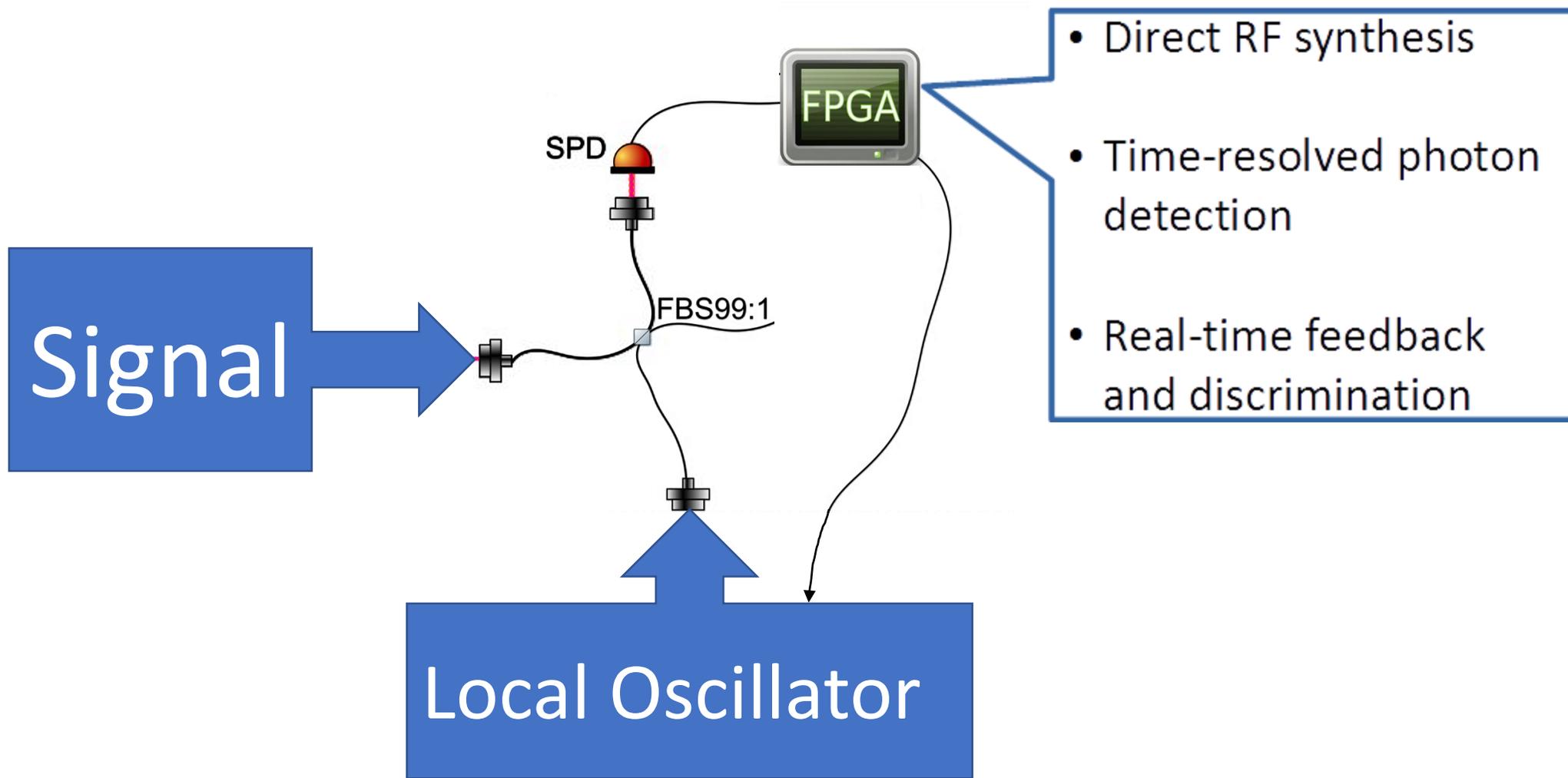


Apply Bayesian rule to calculate probabilities of possible symbol m for Hypothesis h_k and time t_k

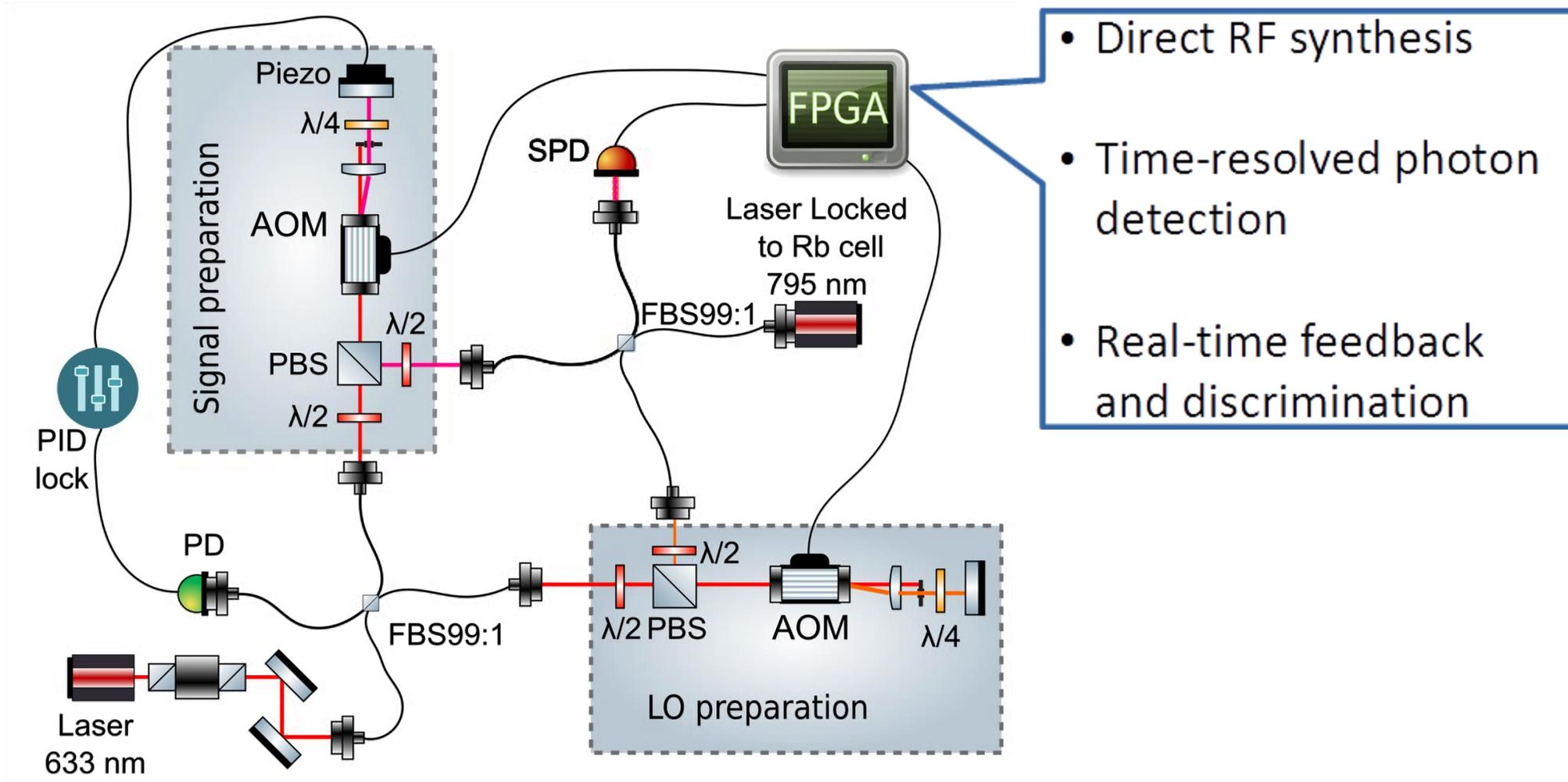
Time-resolving quantum receiver



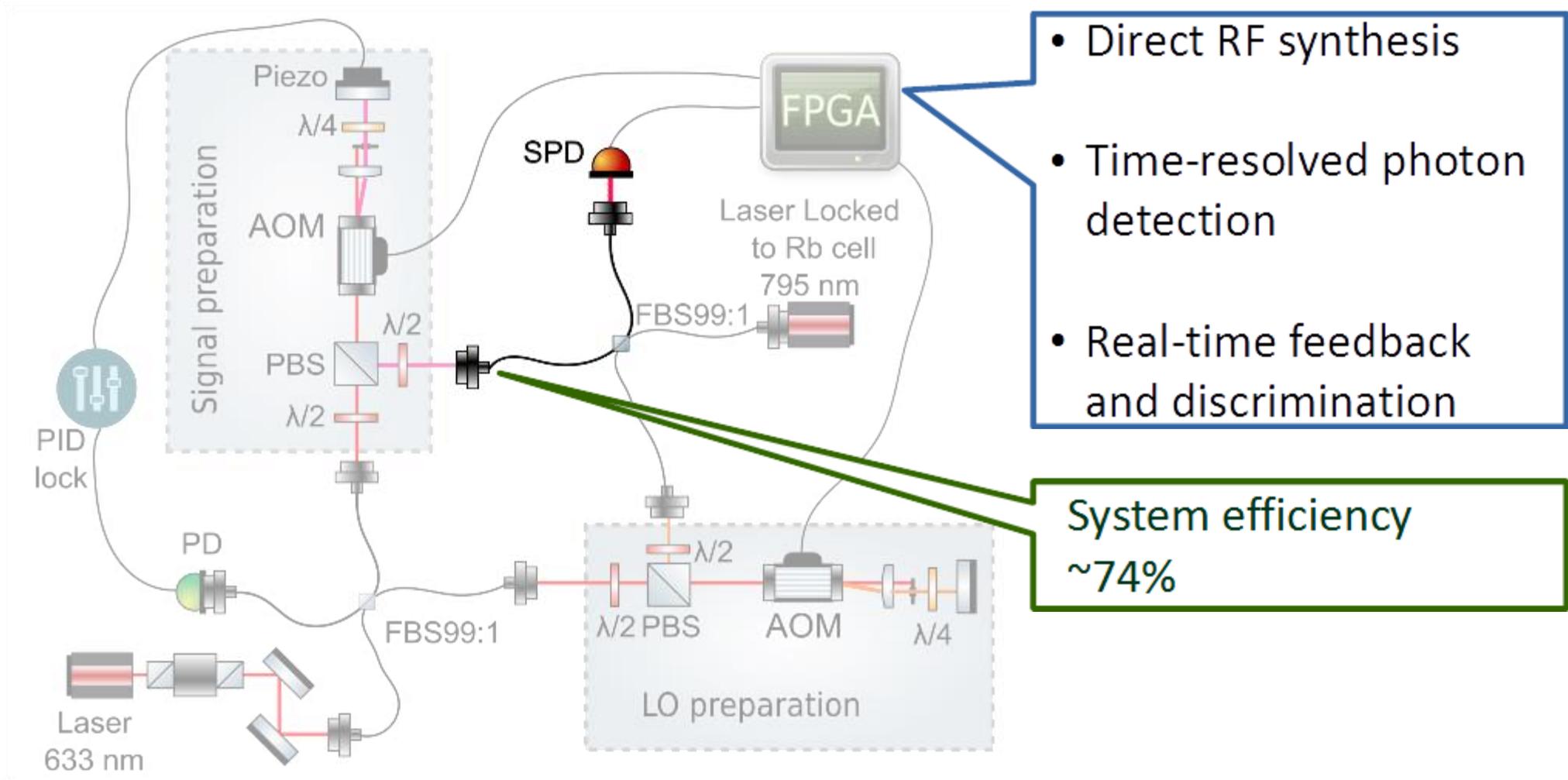
Experimental receiver



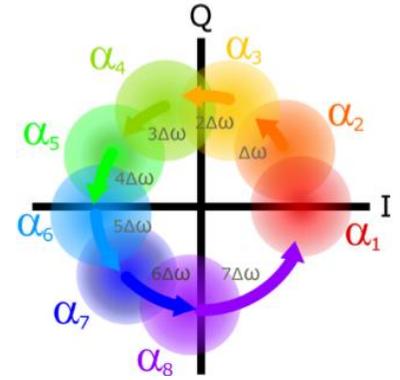
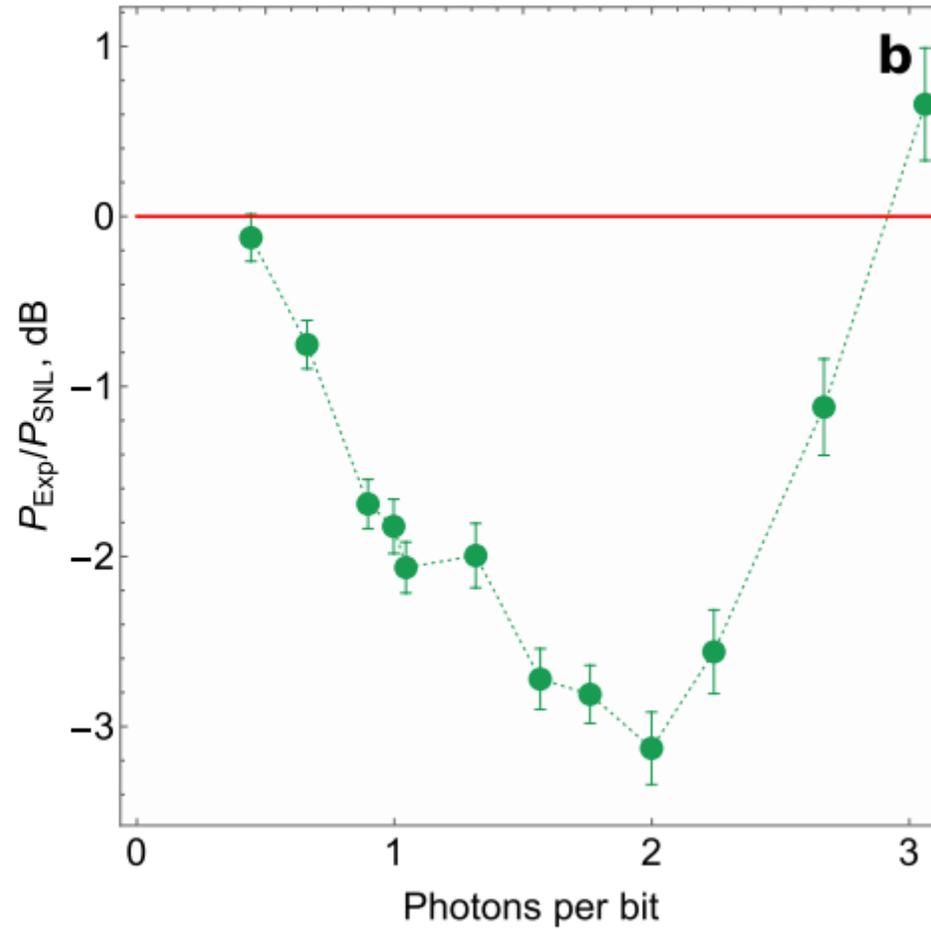
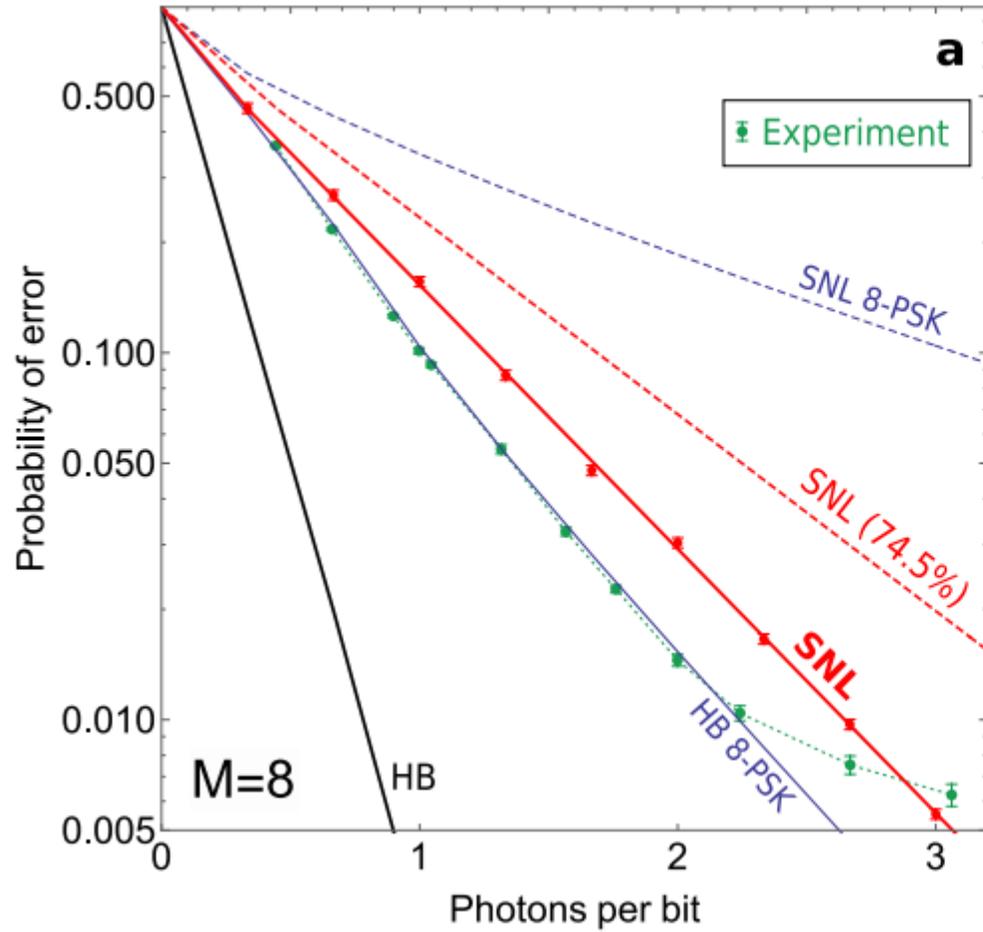
Experimental testbed



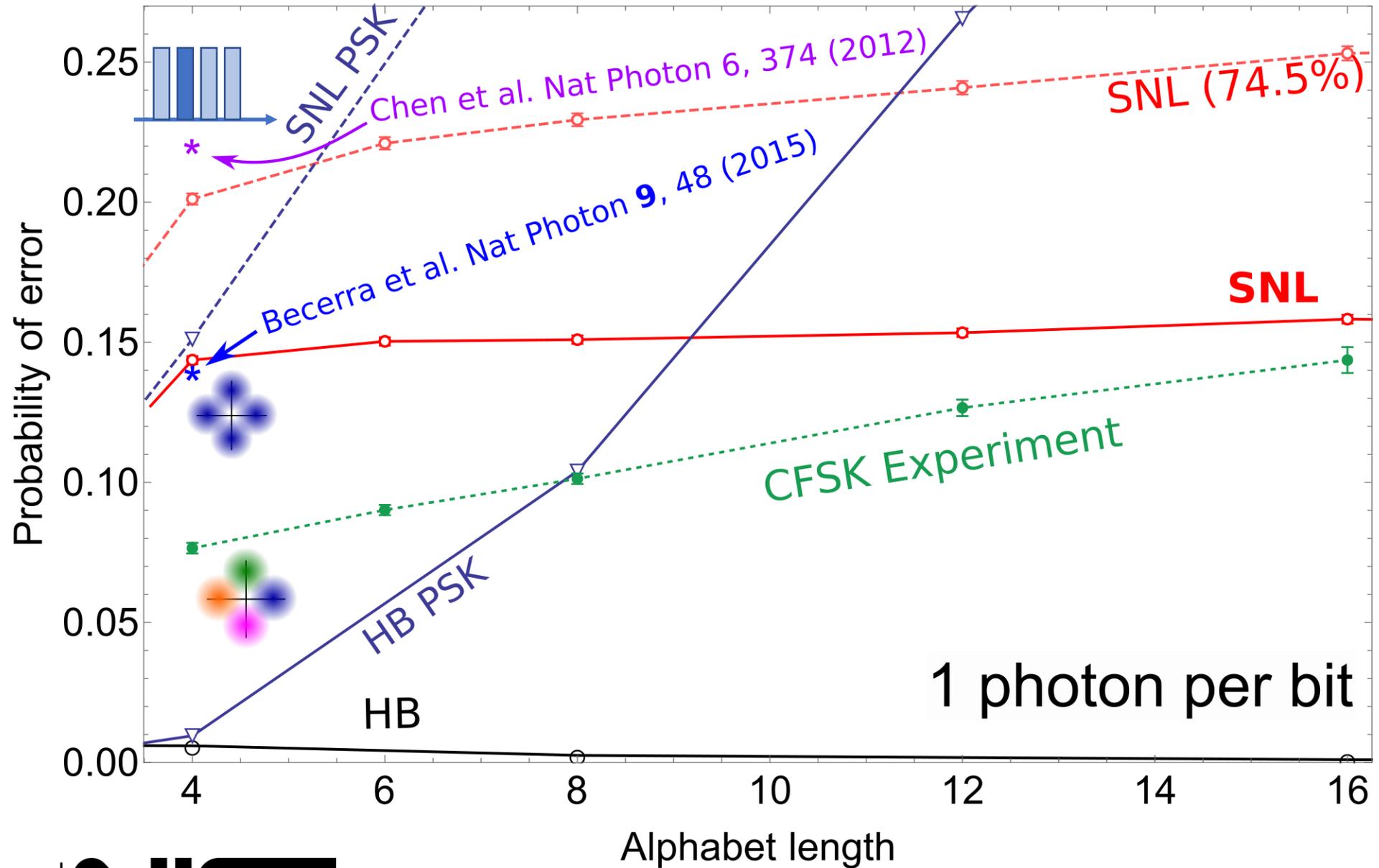
Experimental efficiency



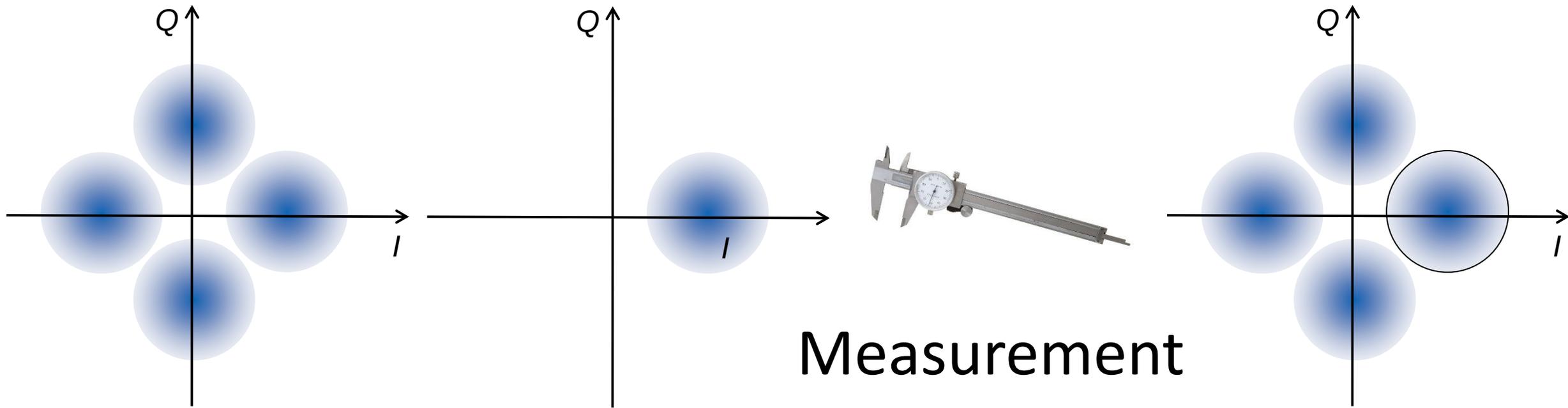
Experimental results



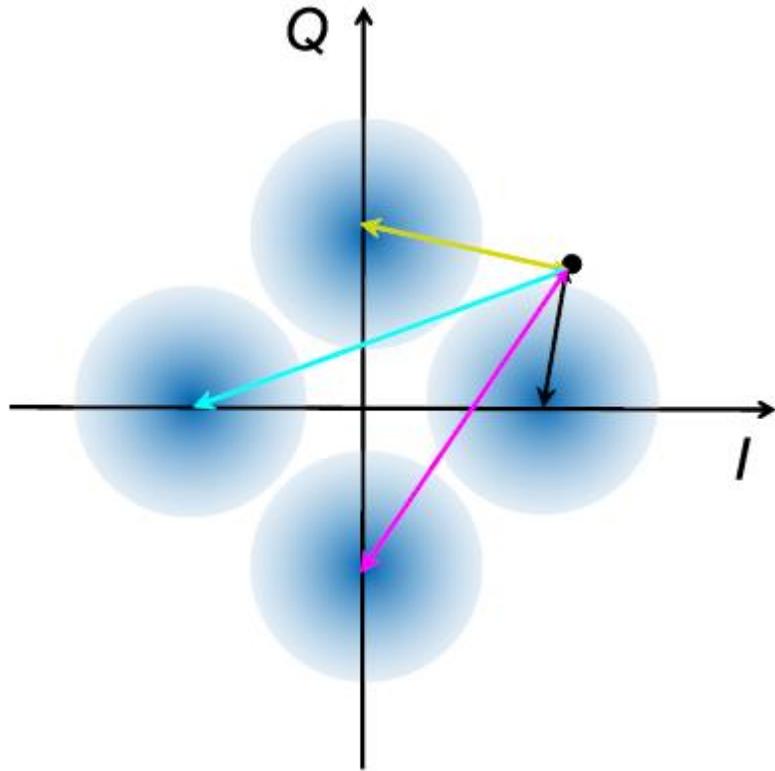
Scalability with the alphabet length



- ‘Holistically’-designed communication protocol optimizing resource efficiency
- Experimental quantum-enabled communication testbed
- Highest energy sensitivity to date $P_{\text{err}} \approx 7.5\%$ @ 1 photon/bit
- First demonstration of below the SNL error rates for $M > 4$
- Bondurant receiver: *OSA Continuum* **3**(12), 3324 (2020)
- Future work: Hybrid protocols/telecom

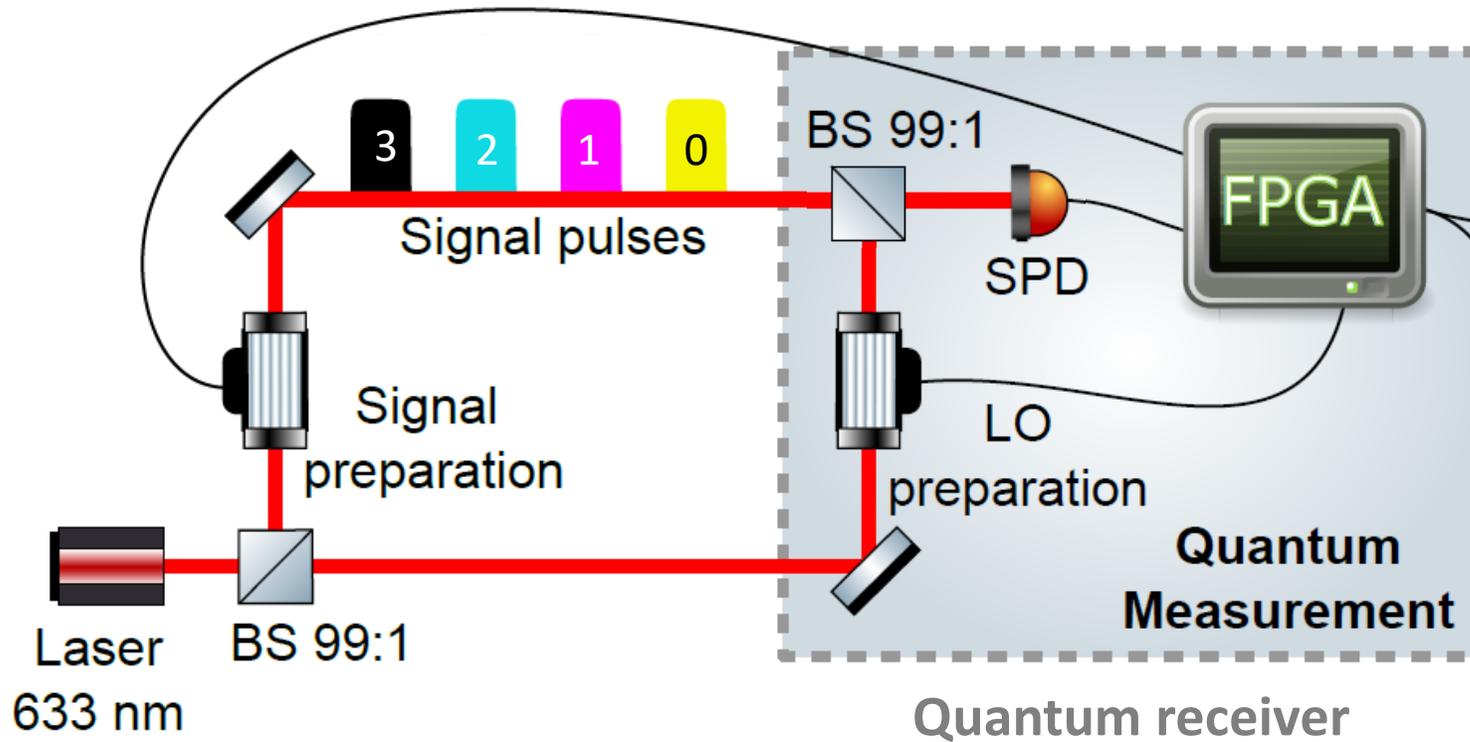


How confident are you?



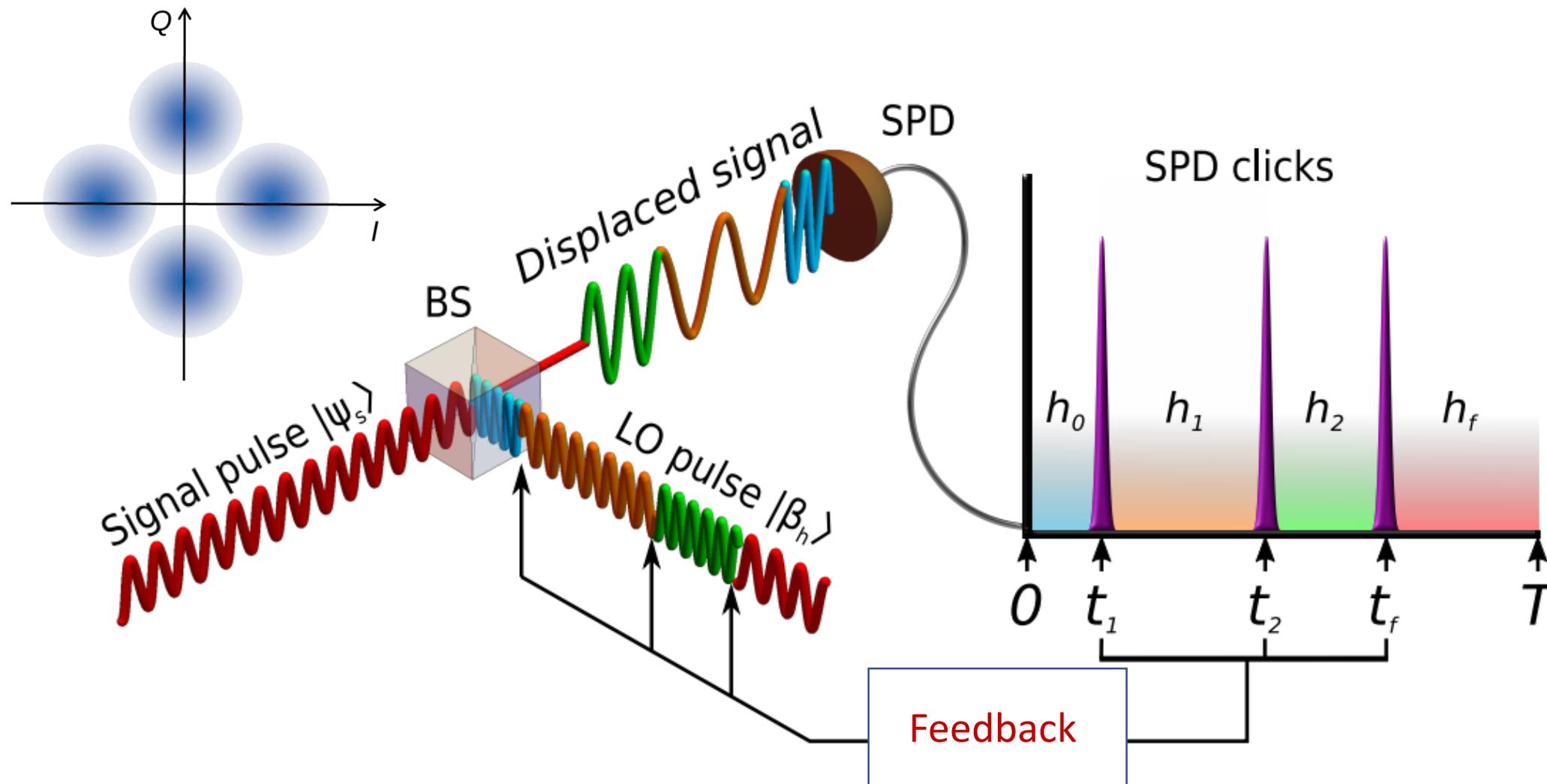
$$p_C(\phi_s | I, Q) = \frac{p(I, Q | \phi_s) \tilde{p}_s}{\sum_{j=1}^M p(I, Q | \phi_j) \tilde{p}_j}$$

Continuous quantum measurement

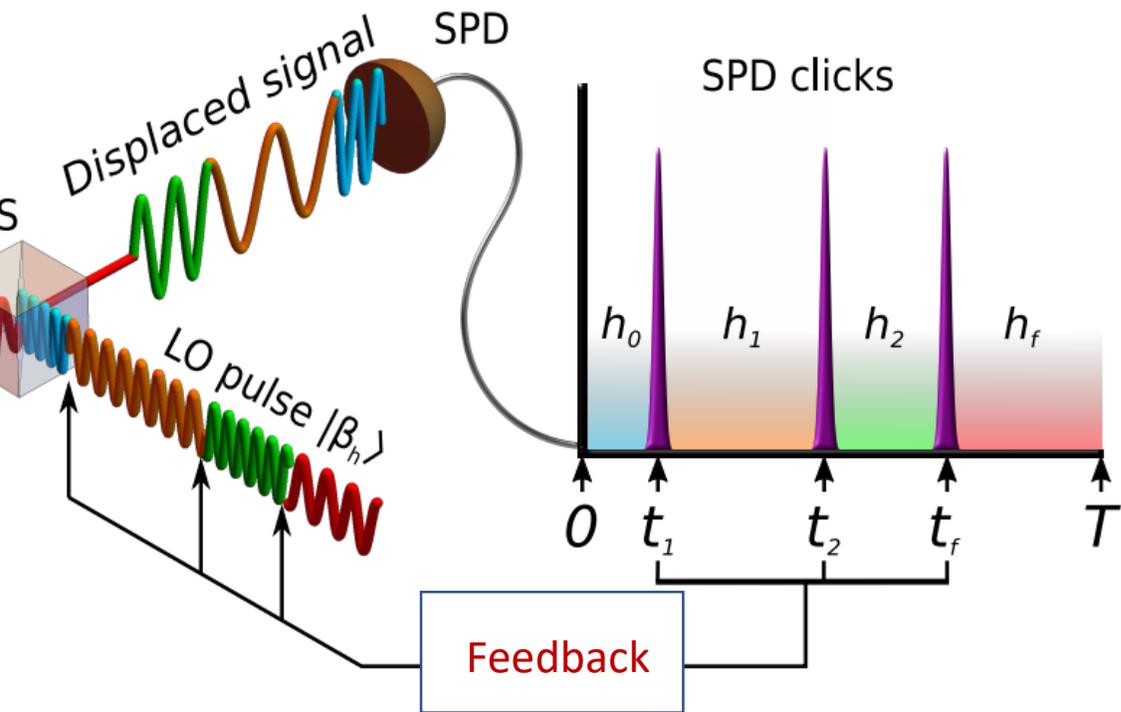


- Performs a continuous quantum measurement
- Enables user data tx/rx

Continuous quantum measurement

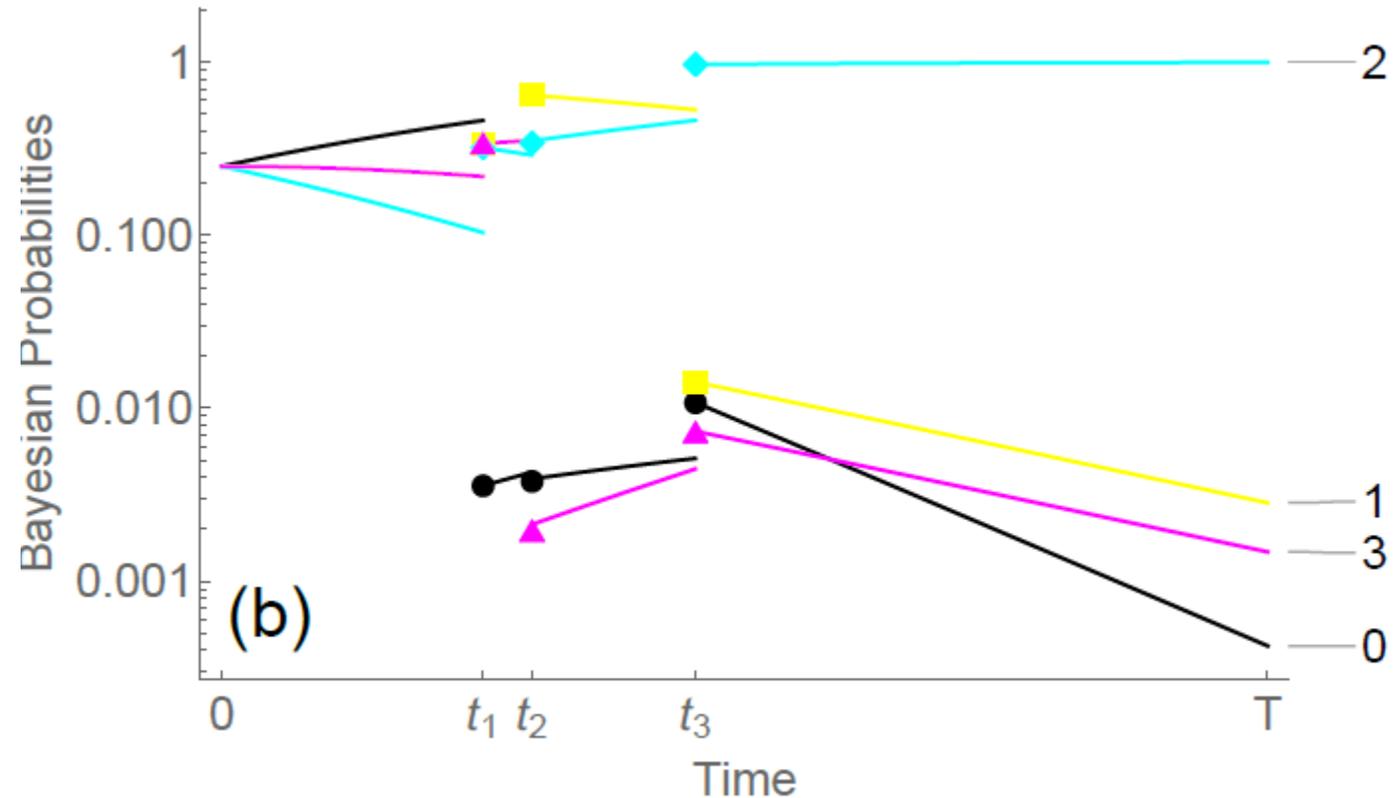


Confidence: quantum measurement



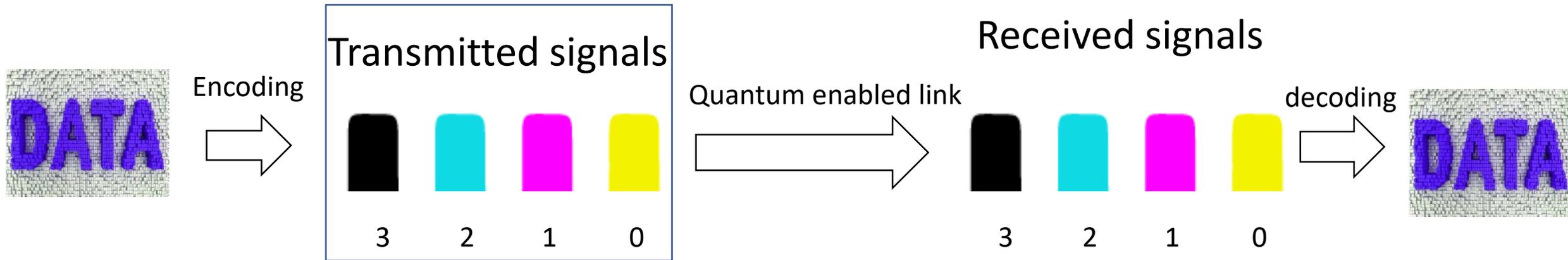
$$\mathbb{Z}[0, t] = \left(\lambda_t, \dots, \lambda_{2dt}, \lambda_{dt}; \hat{U}_t, \dots, \hat{U}_{2dt}, \hat{U}_{dt} \right)$$

clicks feedbacks



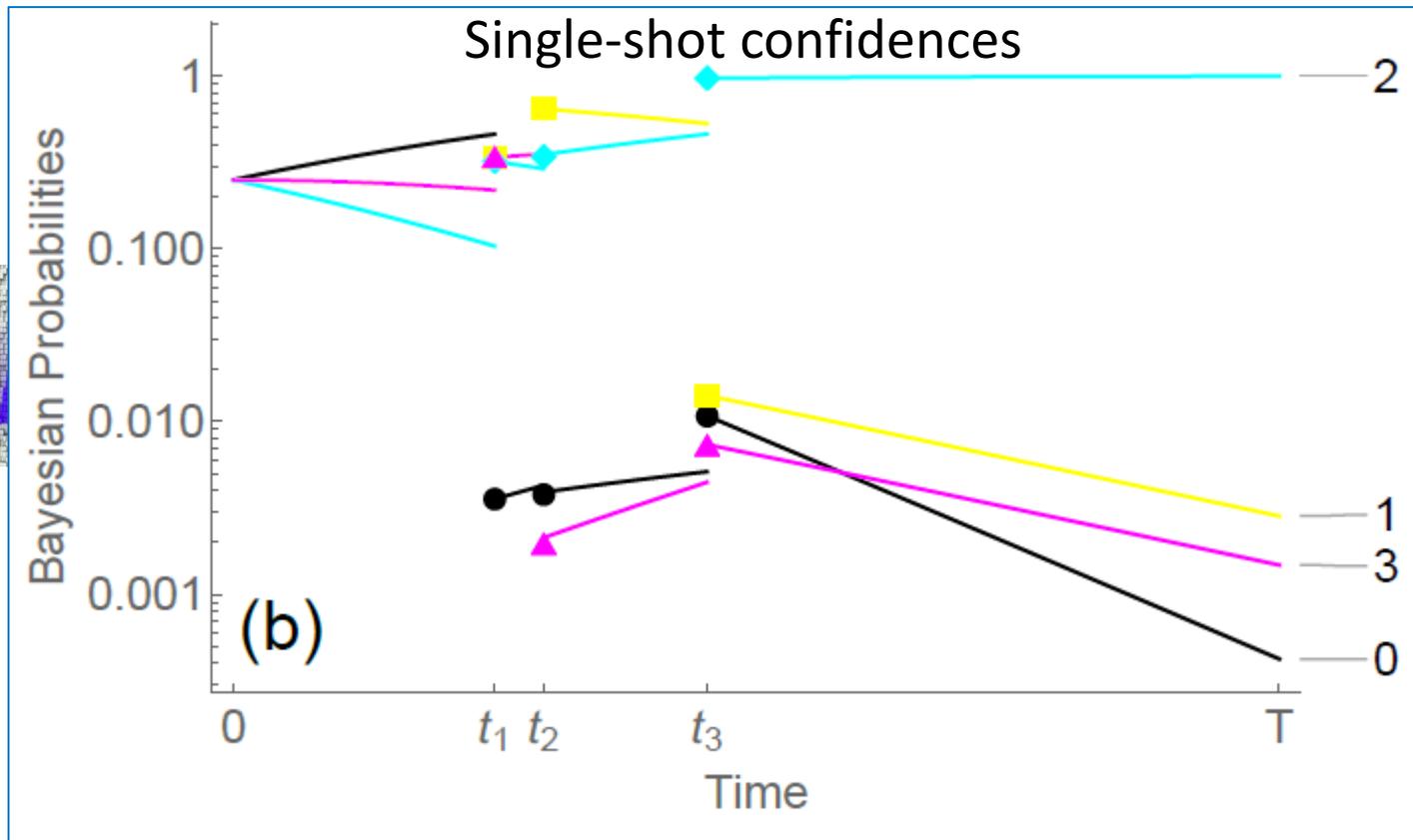
$$p(\phi_s | \mathbb{Z}[0, t]) = \frac{p(\mathbb{Z}[0, t] | \phi_s) \tilde{p}_s}{p(\mathbb{Z}[0, t])}$$

Receiver for arbitrary user data

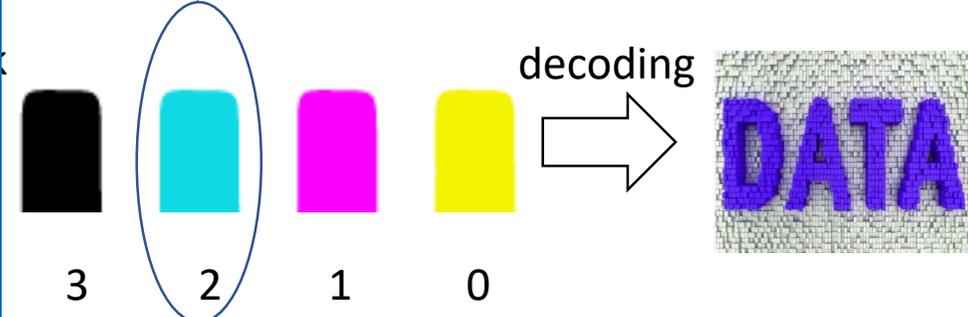


First ever quantum single-shot accuracy estimation

Single-shot "accuracy" estimates



Received signals

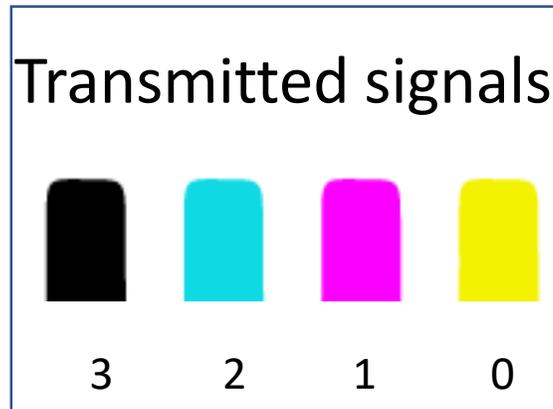
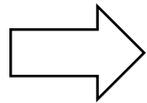


First ever quantum single-shot accuracy estimation

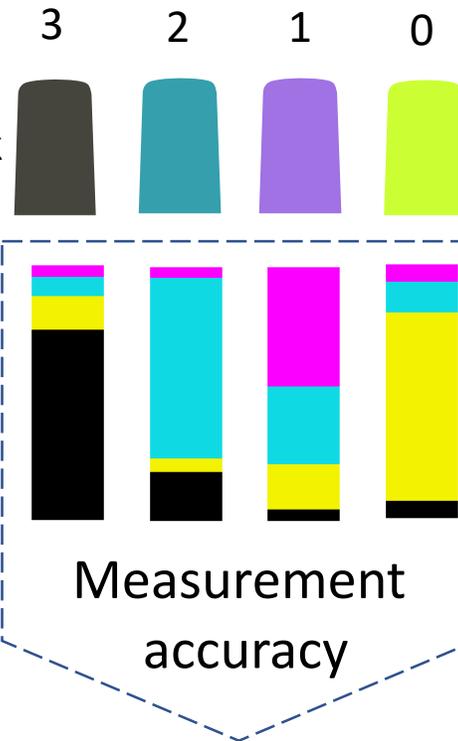
Single-shot “accuracy” estimates

DATA

Encoding



Quantum enabled link



Or...
Advanced quantum-enabled error analysis

First ever quantum single-shot accuracy estimation

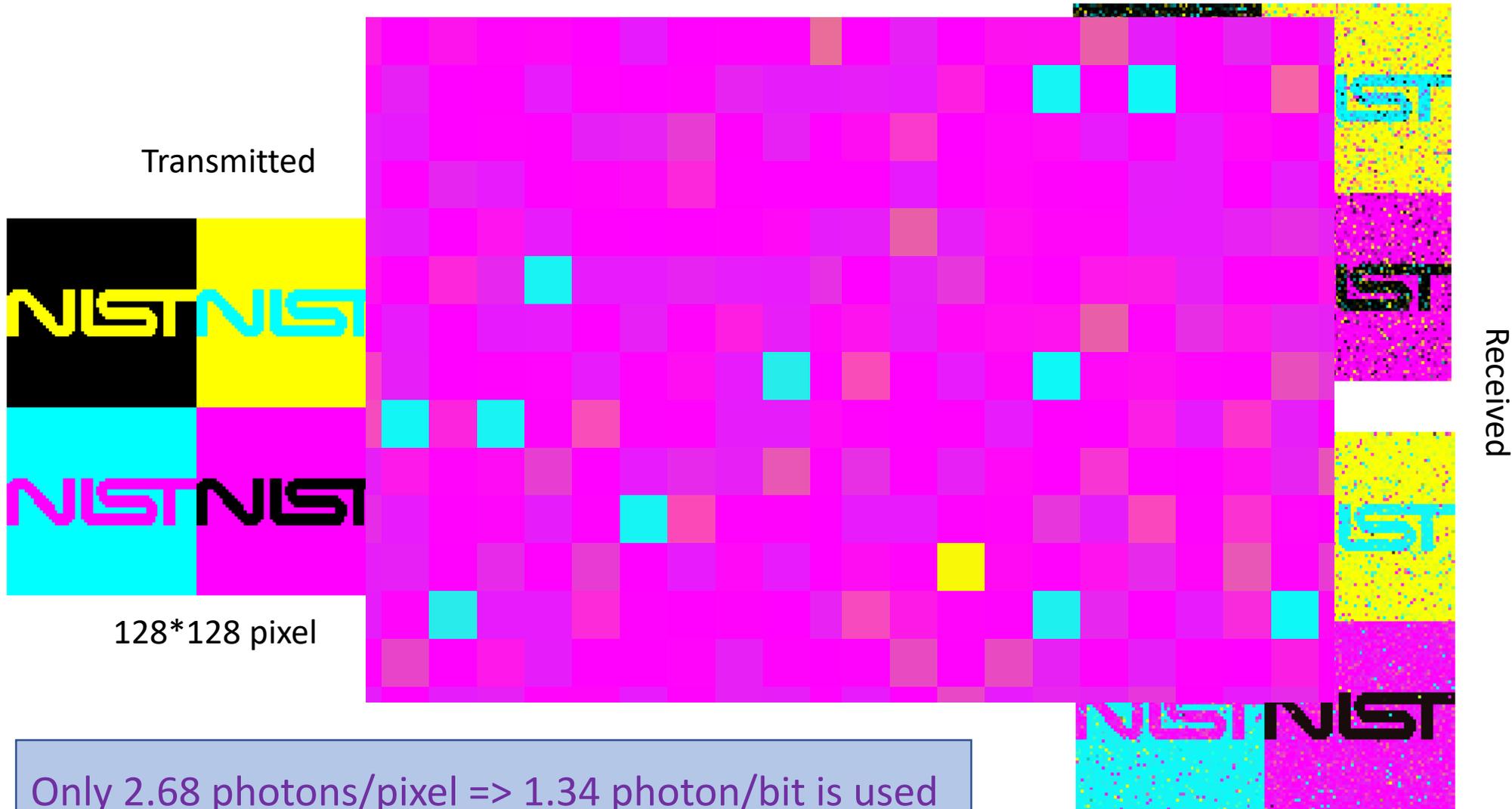
Transmitted



128x128

Only 2.68 photons/pixel => 1.34 photon/bit is used

User data transmission



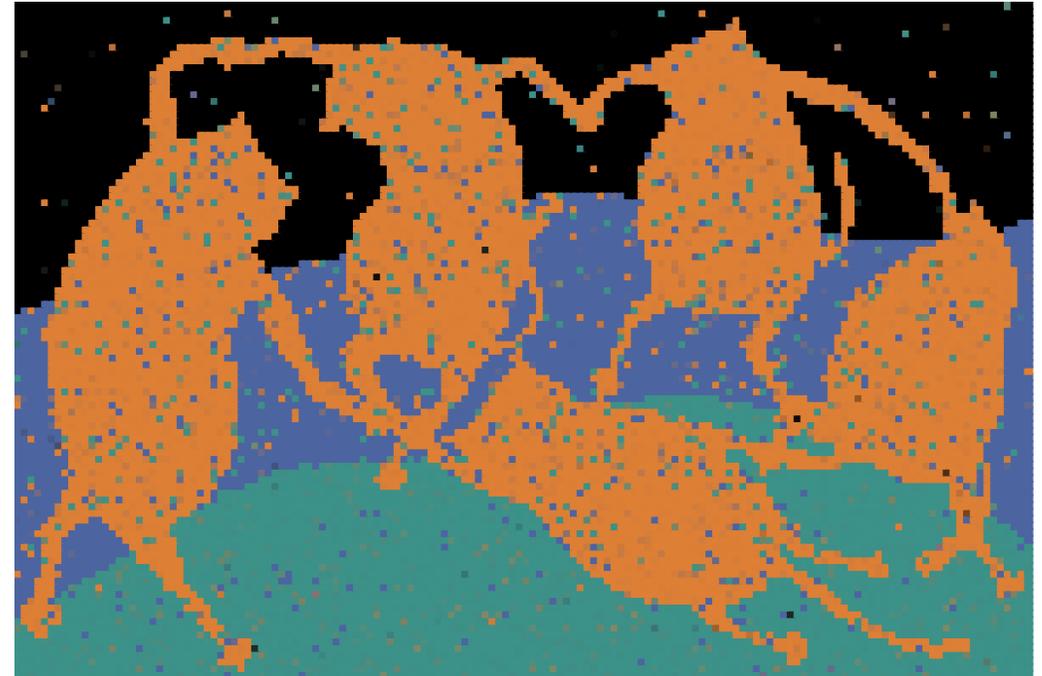
Only 2.68 photons/pixel => 1.34 photon/bit is used

Transmitted



128x128

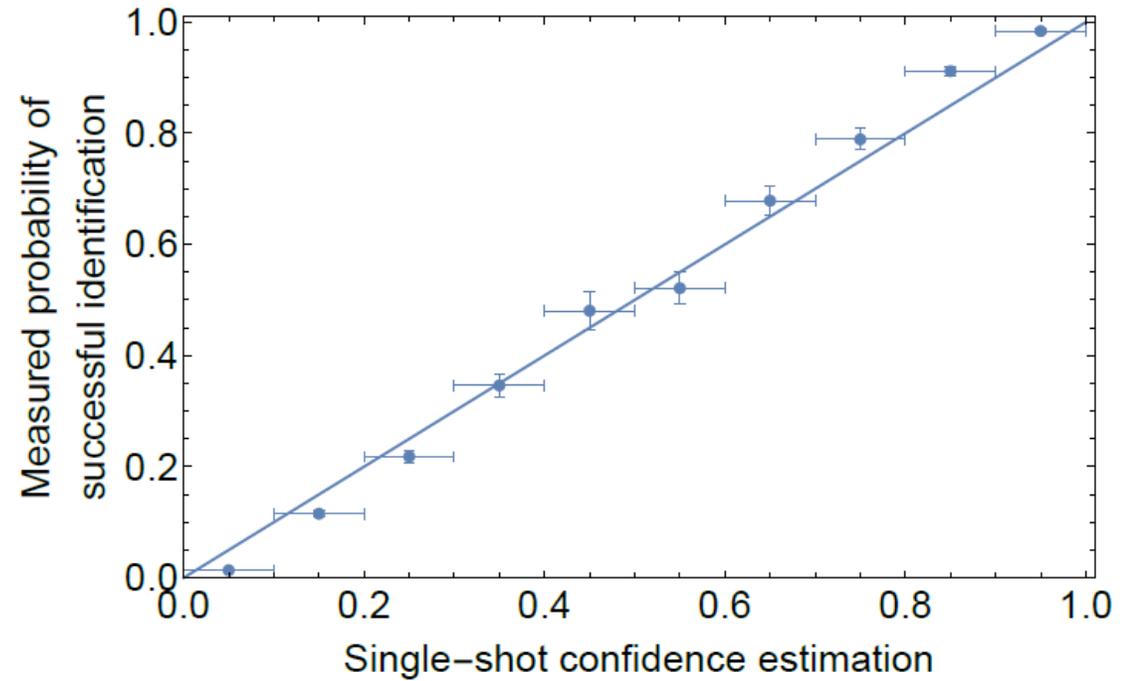
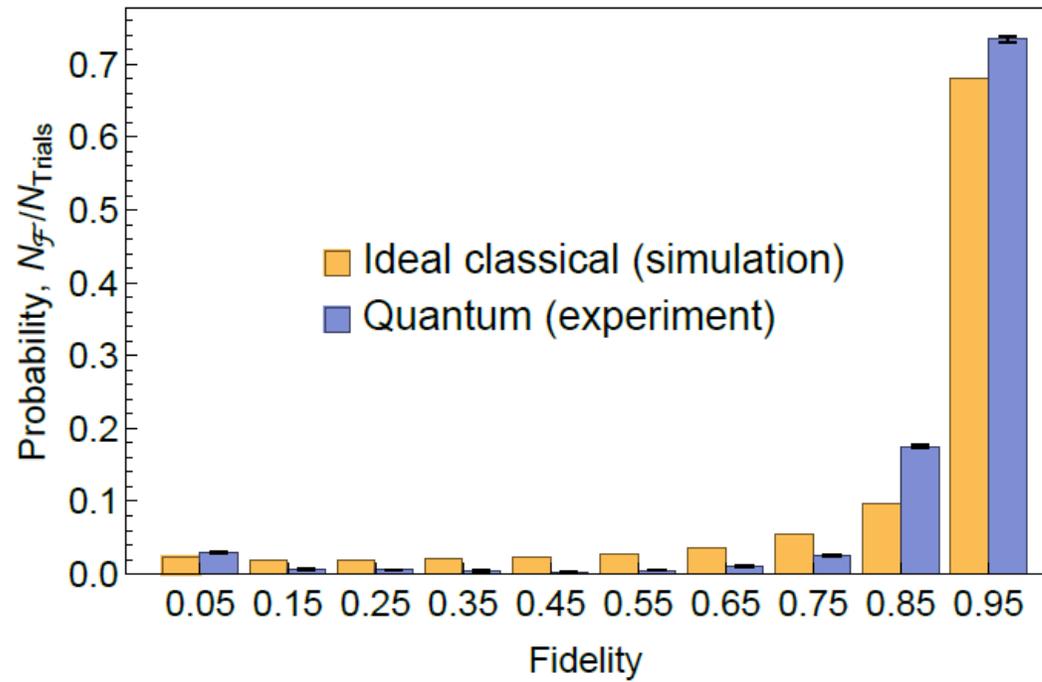
Only 2.68 photons/pixel => 1.34 photon/bit is used



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Only 2.68 photons/pixel => 1.34 photon/bit is used

First single-shot measurements!



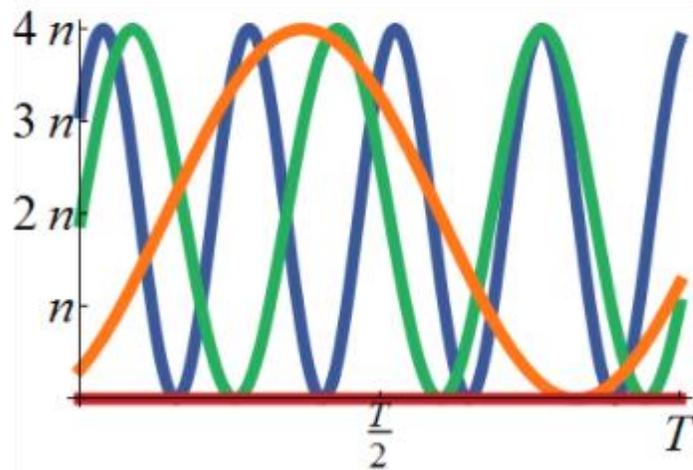
- Experimentally obtained single-shot “accuracy” (confidence) estimations in a quantum state identification measurement for the first time
- Proved experimentally that the single-shot fidelity of the quantum measurement is greater than that of the idealized (classical) homodyne
- Proved that single-shot “accuracy” estimations correctly predict the ensemble-averaged error rate.



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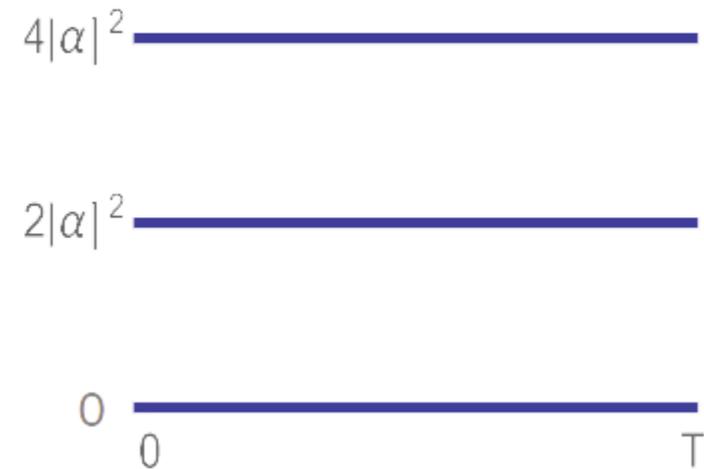
CFSK

$$\langle n(t) \rangle = 2n \{1 - \cos [\Delta\omega_{sh}t + \Delta\theta_{sh}]\}$$

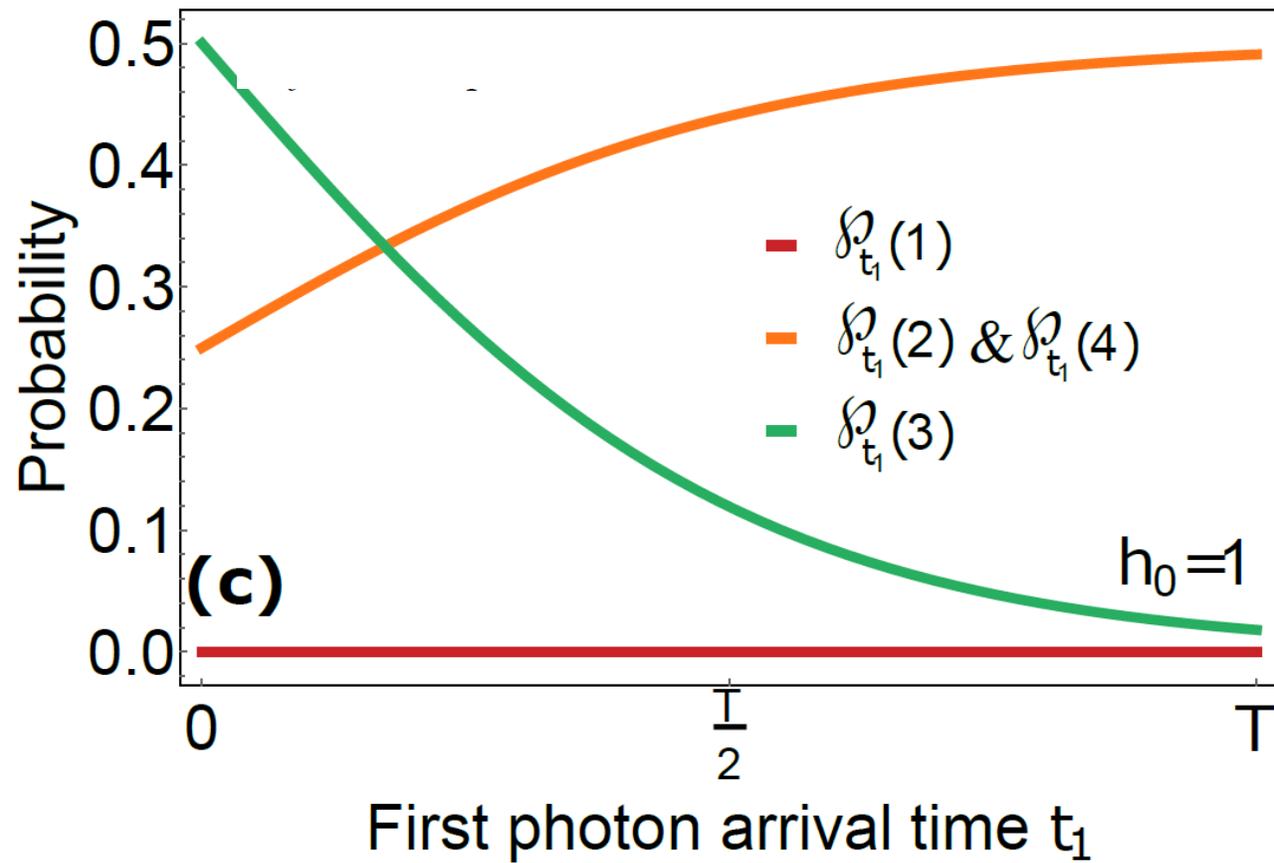
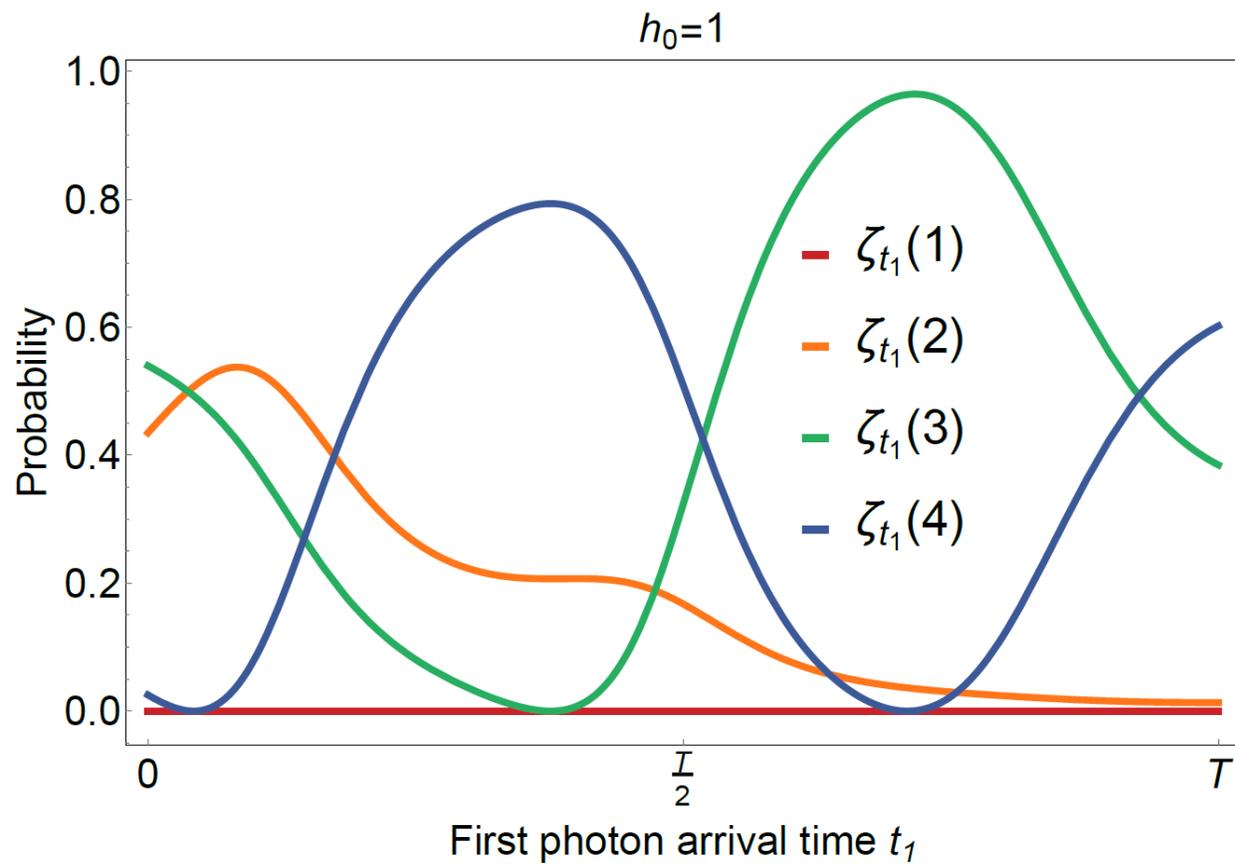


QPSK

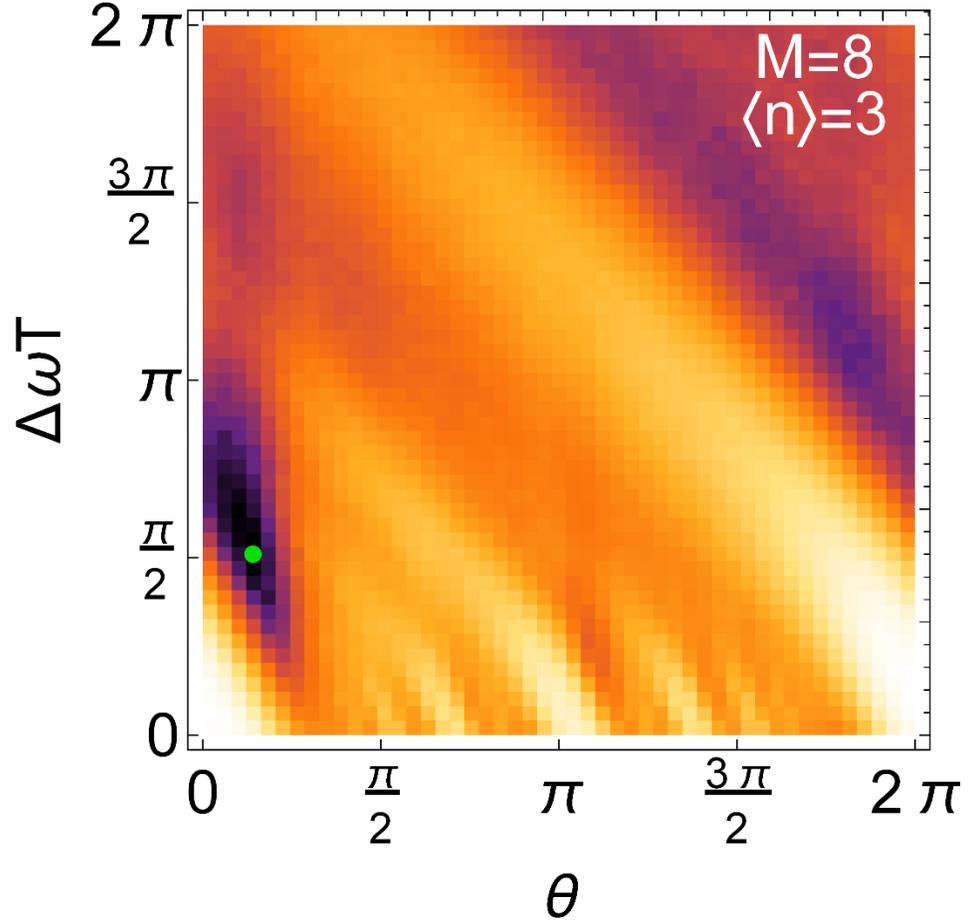
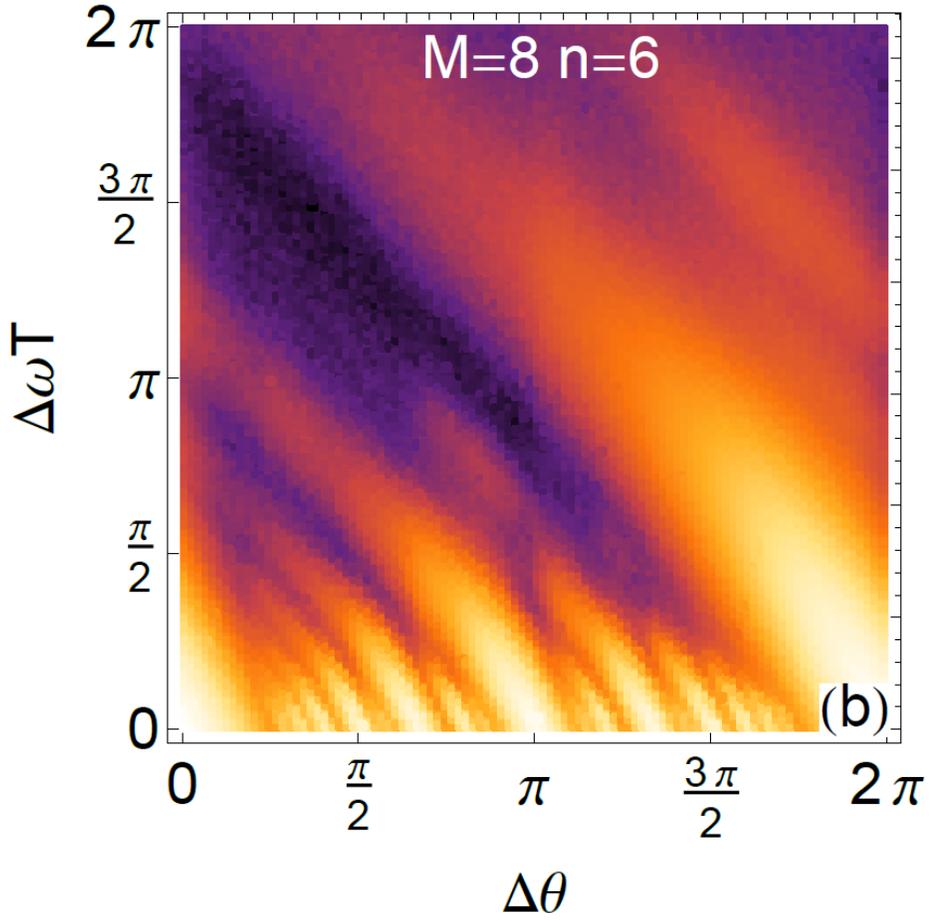
$$\langle n \rangle = 2|\alpha|^2 \{1 - \cos [(s - h)(2\pi/M)]\}$$

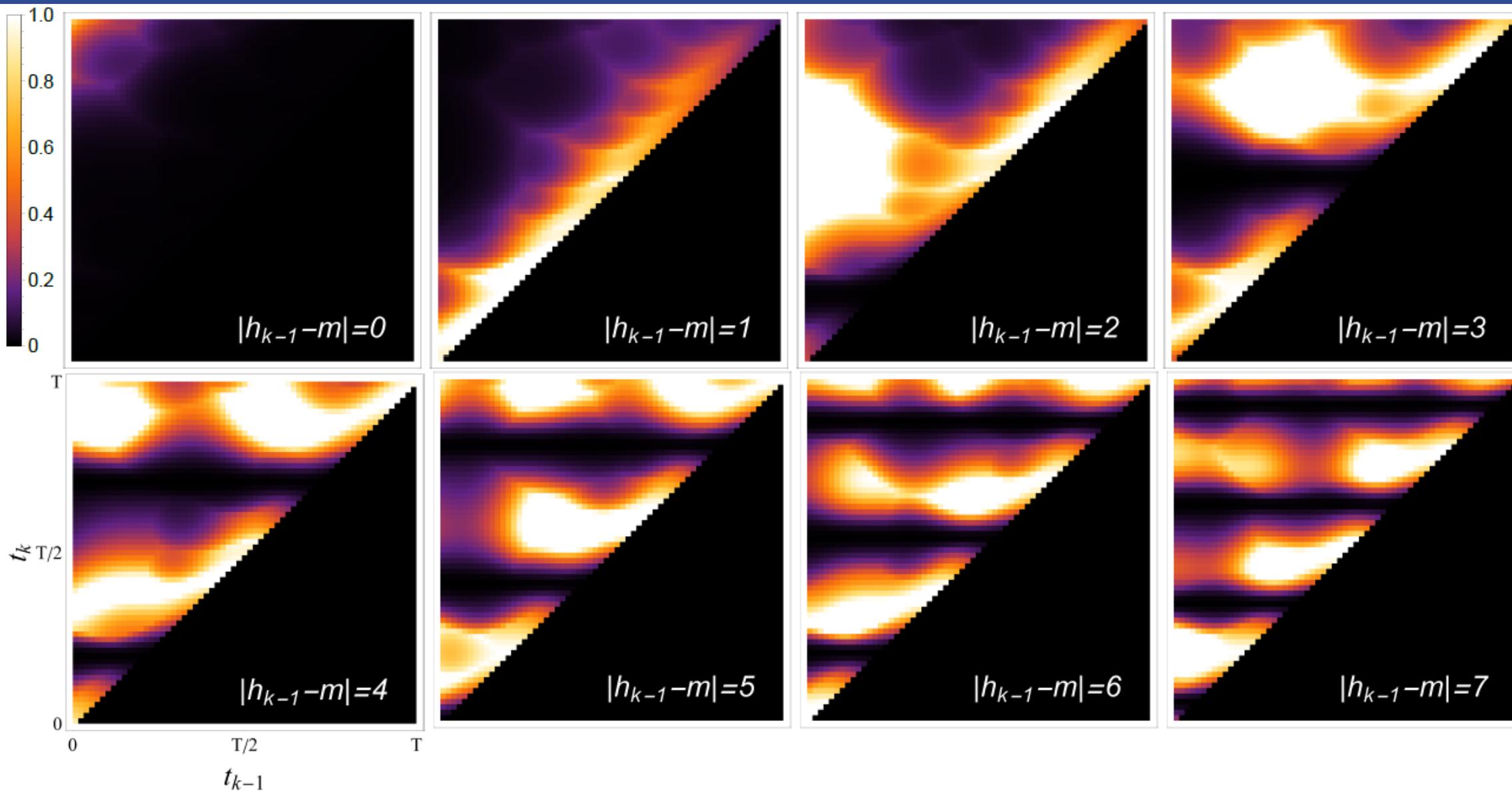


Bayesian probabilities



CFSK optimization





$$\mathcal{N}(t_k, t_{k-1}, m, h_{k-1}) =$$
$$(\langle n(m, h_{k-1}, t_k) \rangle / T) e^{-\int_{t_{k-1}}^{t_k} \langle n(m, h_{k-1}, \tau) \rangle d\tau / T}$$

$$\langle n(m, h, t) \rangle = 2\mathcal{T}n_0 (1 - \cos [(h - m)(\Delta\omega t + \Delta\theta)])$$

$$\zeta_{t_k}(m) = \frac{\mathcal{N}(t_k, t_{k-1}, m, h_{k-1}) \zeta_{t_{k-1}}(m)}{\sum_{j=1}^M \mathcal{N}(t_k, t_{k-1}, j, h_{k-1}) \zeta_{t_{k-1}}(j)}$$